

# Magnetic Fields at the Supermassive Black Hole's Event Horizon in M87

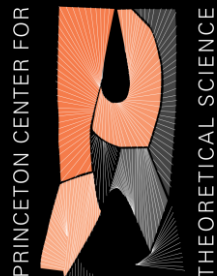
Andrew Chael

(he/him)

NHFP Fellow

PCTS

April 8, 2021



Event Horizon Telescope



# The EHT Collaboration





# EHTC Paper VII + VIII writing team

**Monika Mościbrodzka**



**Iván Martí-Vidal**



**Sara Issaoun**



**Jongho Park**



**Maciek Wielgus**



**Angelo Ricarte**



**Jason Dexter**



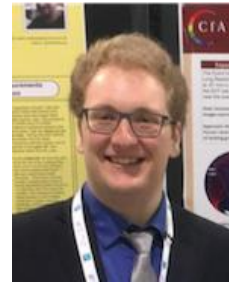
**Andrew Chael**



**Alejandra Jiménez-Rosales**



**Daniel Palumbo**



**Dom Pesce**



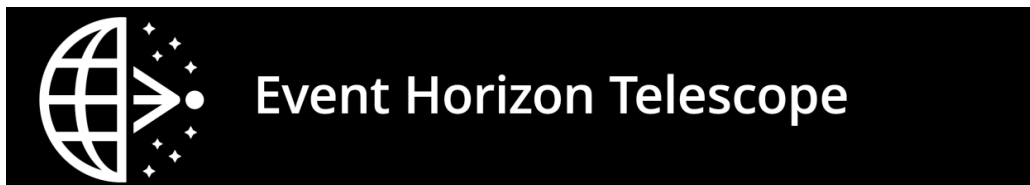
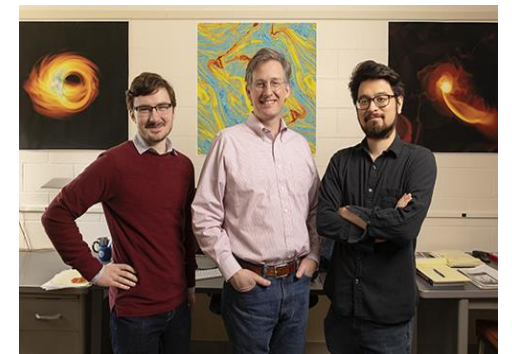
**John Wardle**



**Avery Broderick**



**Ben Prather, Charles Gammie,  
George Wong**



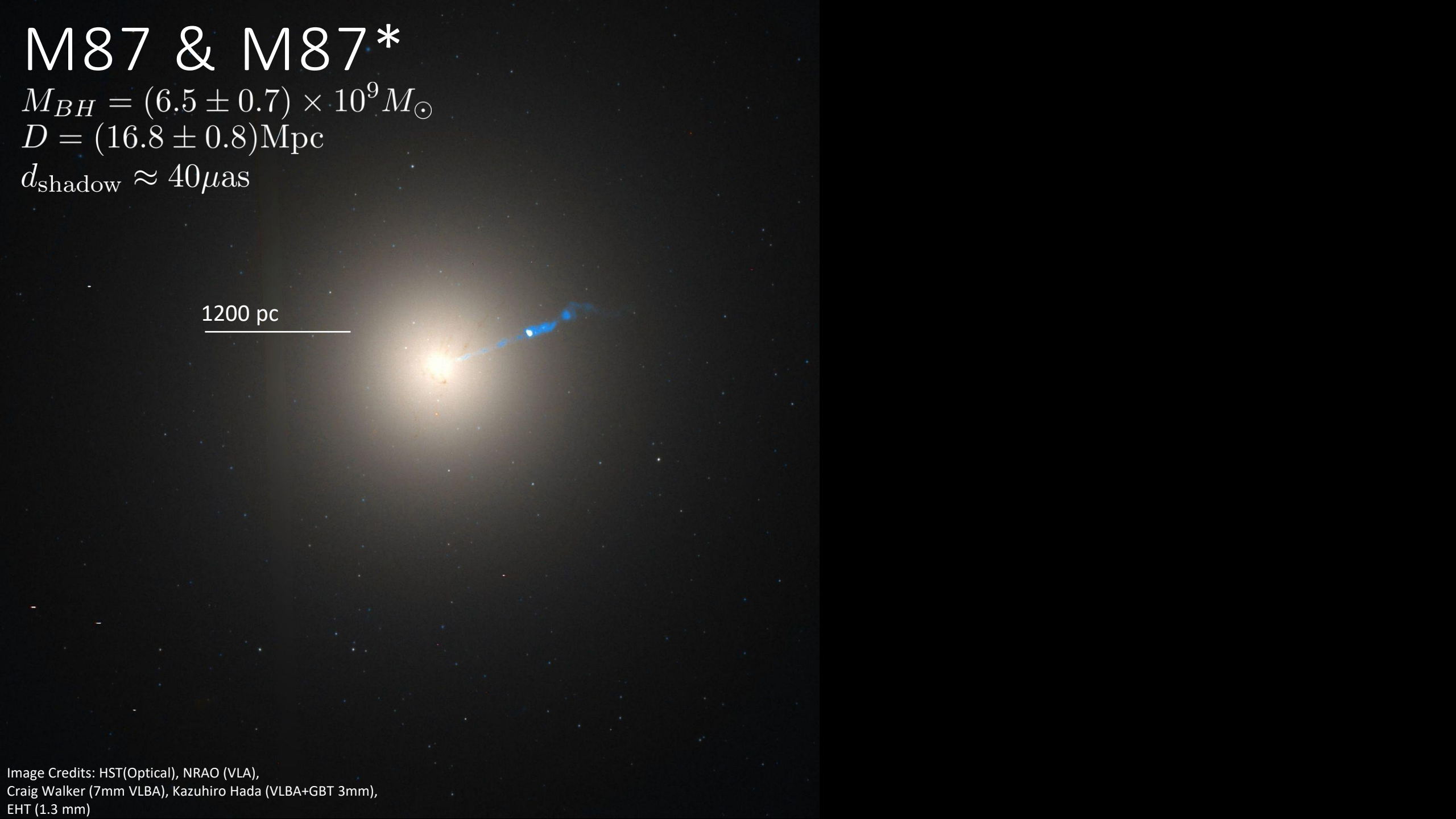
# M87 & M87\*

$$M_{BH} = (6.5 \pm 0.7) \times 10^9 M_{\odot}$$

$$D = (16.8 \pm 0.8) \text{Mpc}$$

$$d_{\text{shadow}} \approx 40 \mu\text{as}$$

1200 pc

The image shows the M87 galaxy, a bright yellowish-white elliptical galaxy with a prominent blue jet extending to the right. A white horizontal scale bar is positioned to the left of the galaxy, labeled '1200 pc'. The background is dark with scattered blue and white stars.

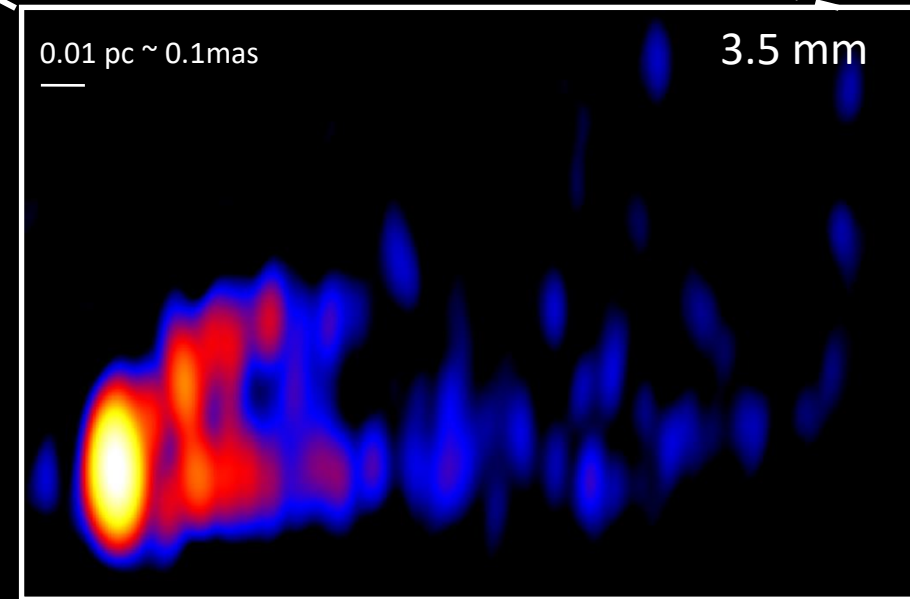
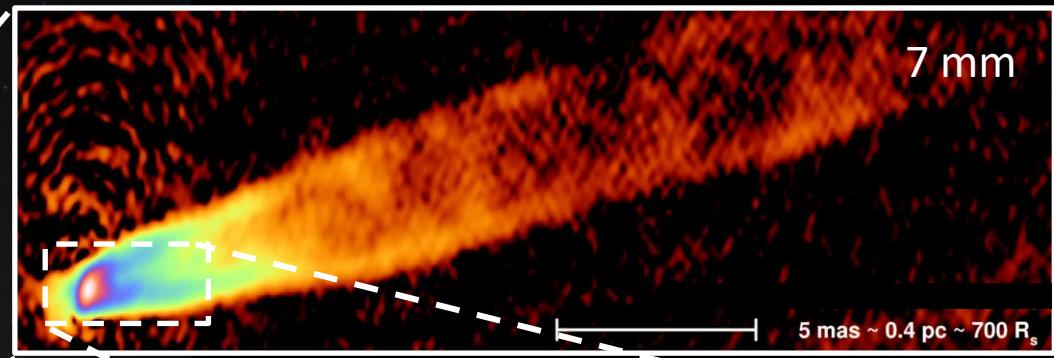
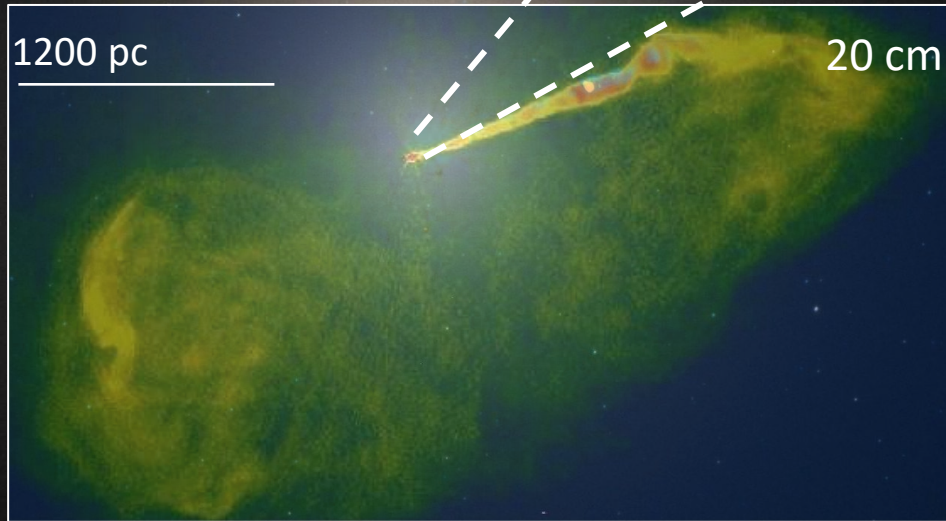


# M87 & M87\*

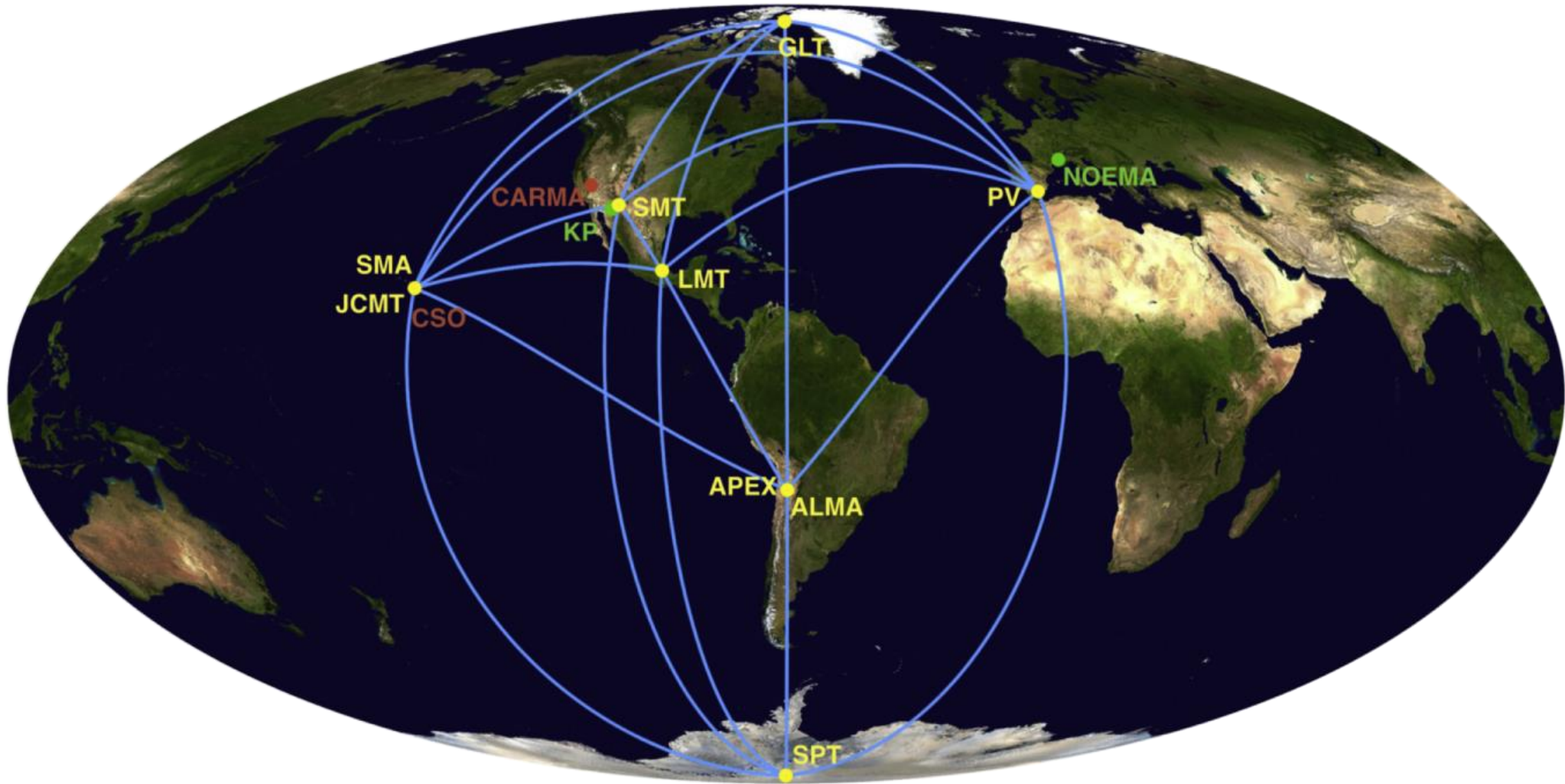
$$M_{BH} = (6.5 \pm 0.7) \times 10^9 M_{\odot}$$

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$$d_{\text{shadow}} \approx 40 \mu\text{as}$$



# The Event Horizon Telescope



$$\text{Resolution} \approx \frac{\lambda}{d_{\text{Earth}}} \approx \frac{1.3 \text{ mm}}{1.3 \times 10^{10} \text{ mm}} \approx 20 \mu\text{as}$$

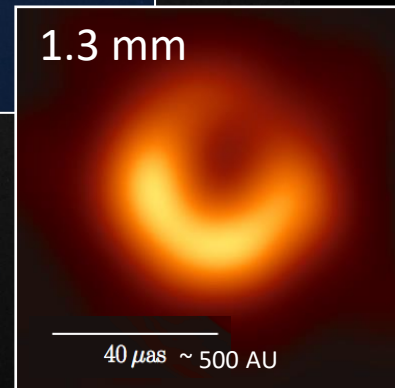
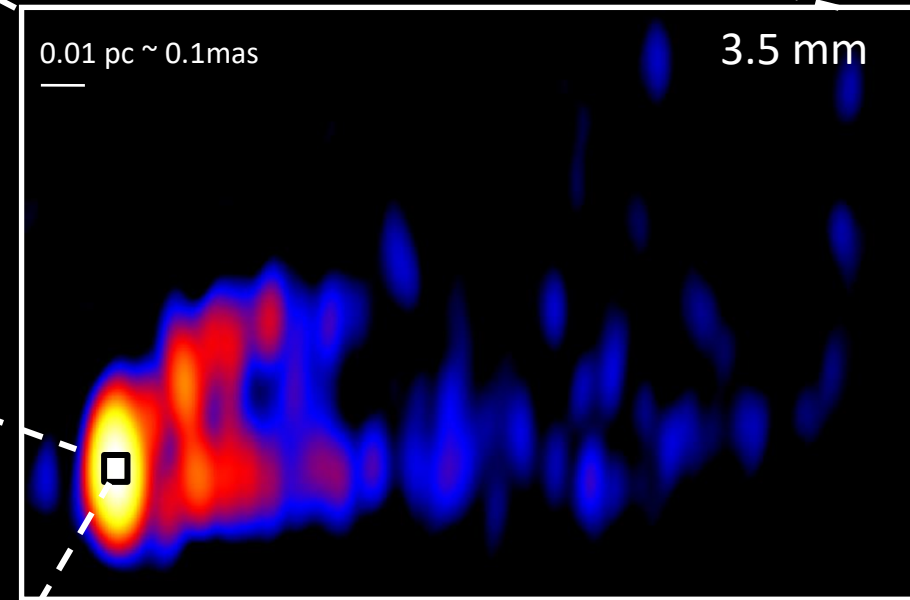
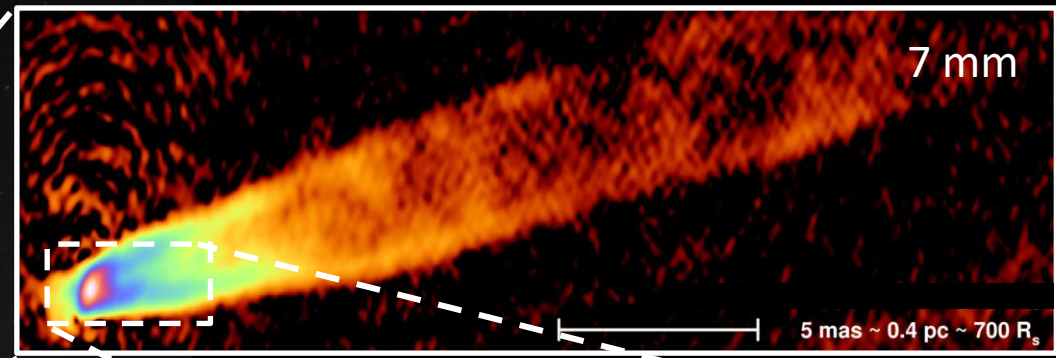
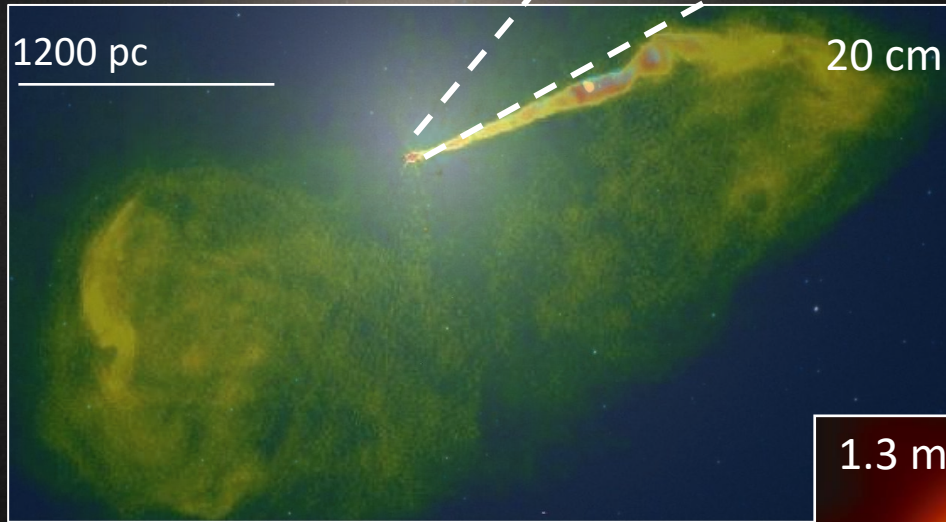


# M87 & M87\*

$$M_{BH} = (6.5 \pm 0.7) \times 10^9 M_{\odot}$$

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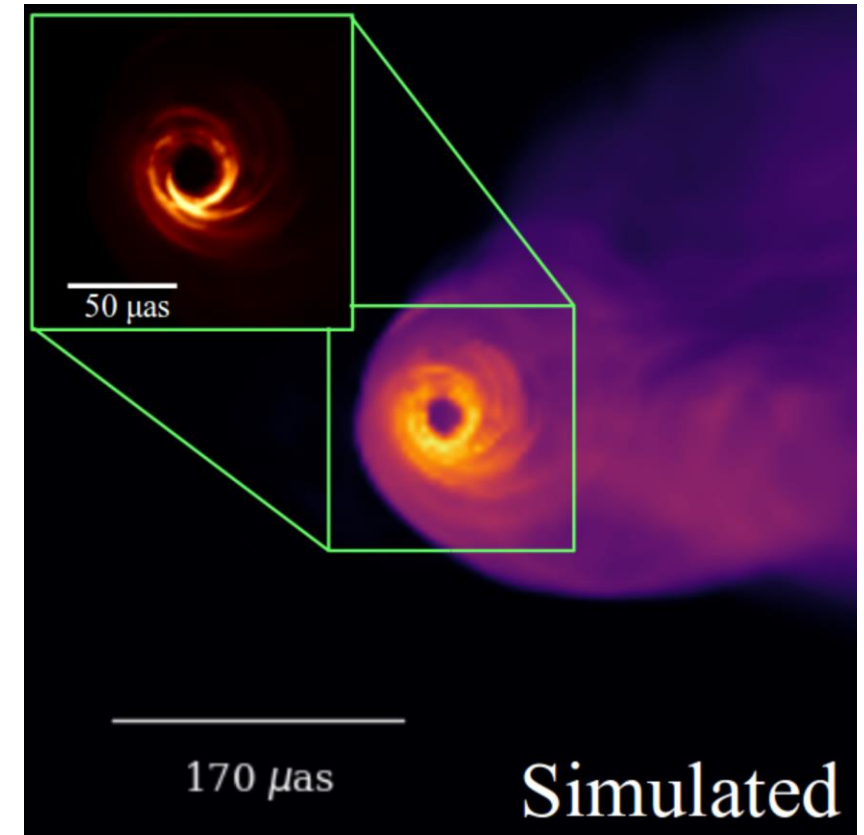
# At the heart of M87...

What we know:

- Supermassive black hole with mass  $M \approx 6 \times 10^9 M_{\odot}$
- Synchrotron Emission from very hot ( $T \gtrsim 10^{10}$  K) plasma close to the event horizon
- Launches a powerful relativistic jet ( $P_{\text{jet}} \geq 10^{42}$  erg s $^{-1}$ ) outside of the galaxy

Open Questions:

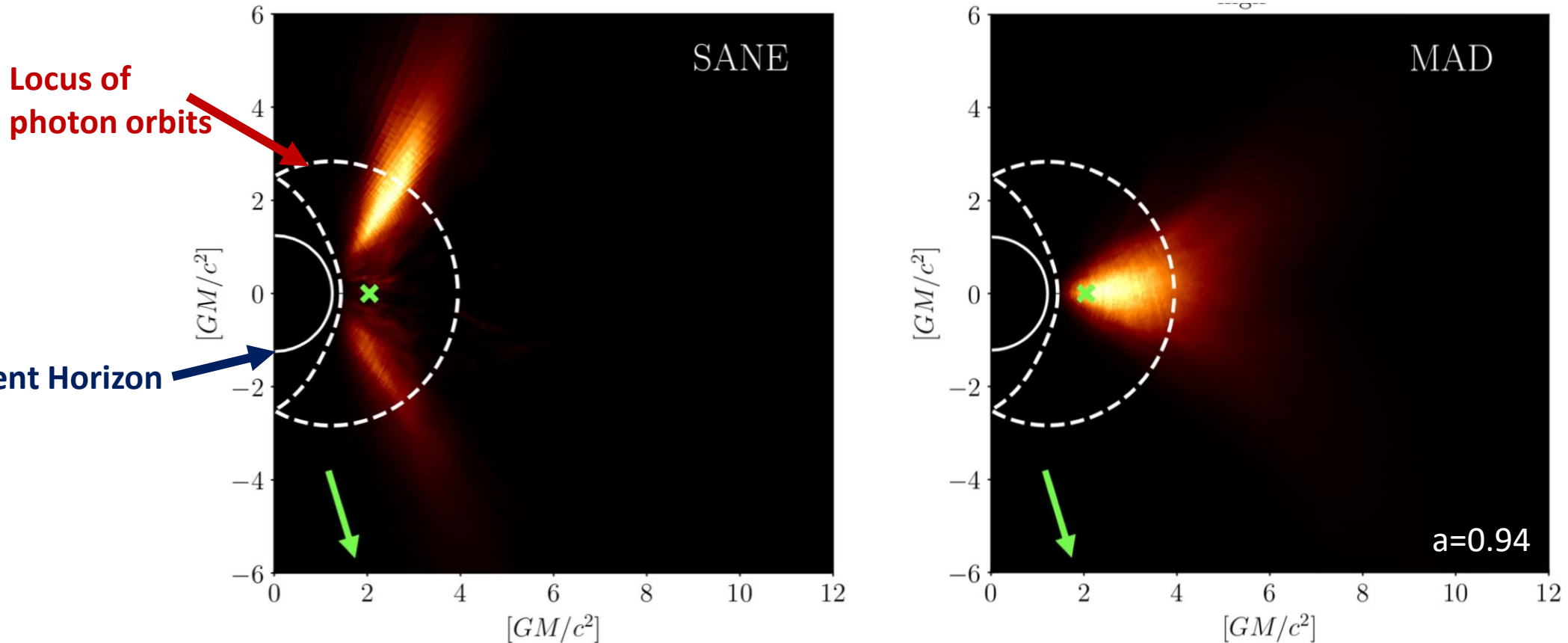
- Where exactly does the emission come from?
- What is the temperature and distribution of the emitting particles?
- What is the strength and configuration of the magnetic field?





# Where does the emission come from?

All simulations show emission region is within a few Schwarzschild radii of the black hole, but in different spatial regions



Can we determine if emission mostly originates in inflow or outflow?

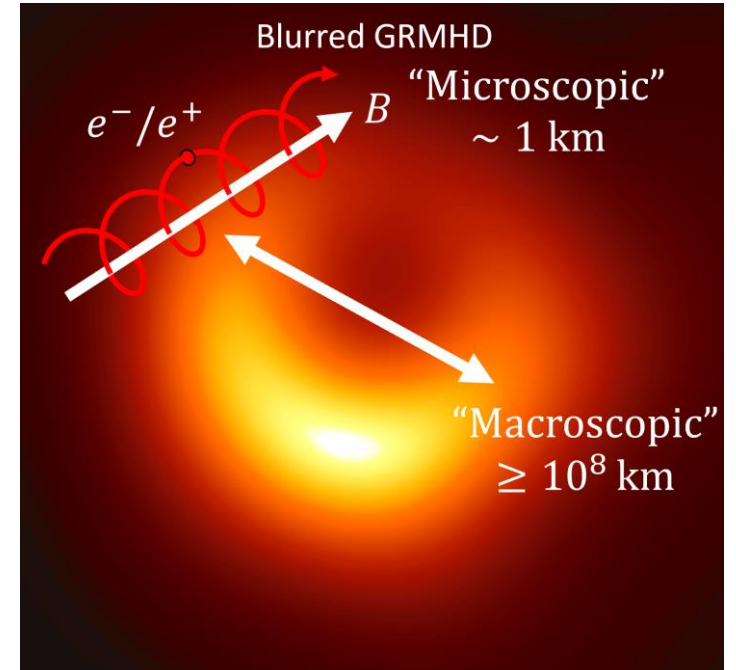
How exactly is the emission lensed by the black hole?

# What is the distribution of emitting electrons?

- Coulomb coupling between ions and electrons is **inefficient**:

$$T_e \neq T_i$$

- The electron temperature is sensitive to radiative **cooling** and microscale **heating** processes
  - several options for the heating mechanism  
e.g. magnetic reconnection, Landau damping
- A big source of uncertainty in simulations, which don't resolve heating directly.



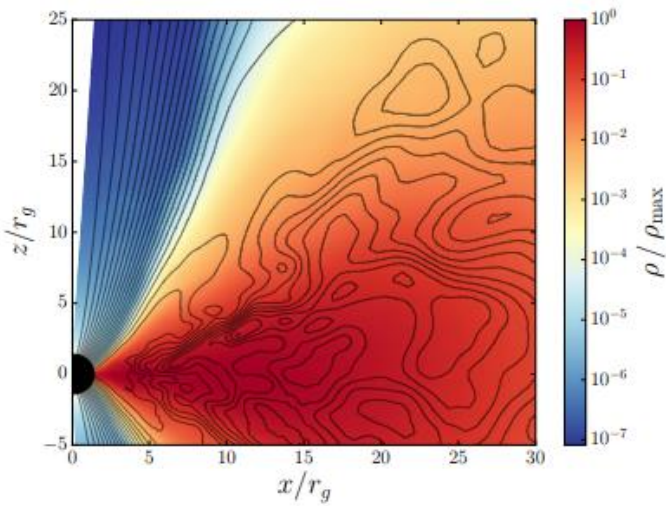
**Huge** scale separation  
in hot accretion flows



# What is the magnetic field structure?

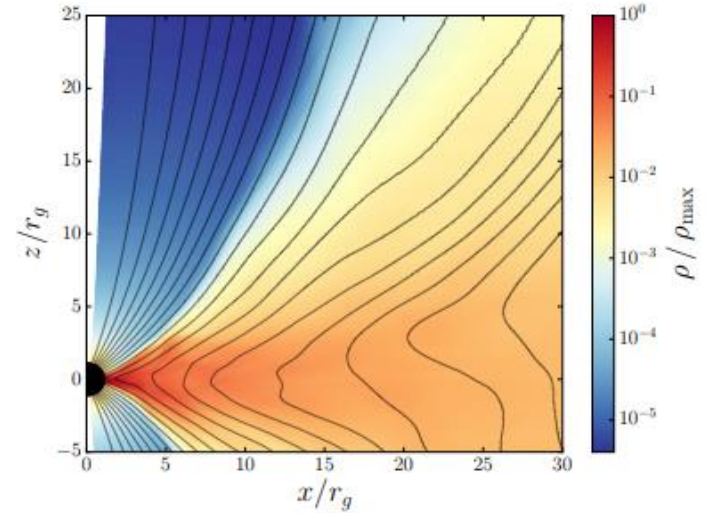
Two accretion states that depend on the accumulated magnetic flux on horizon

**Magnetic fields are weak and turbulent**



“SANE”

**Strong, coherent magnetic fields build up on the horizon**



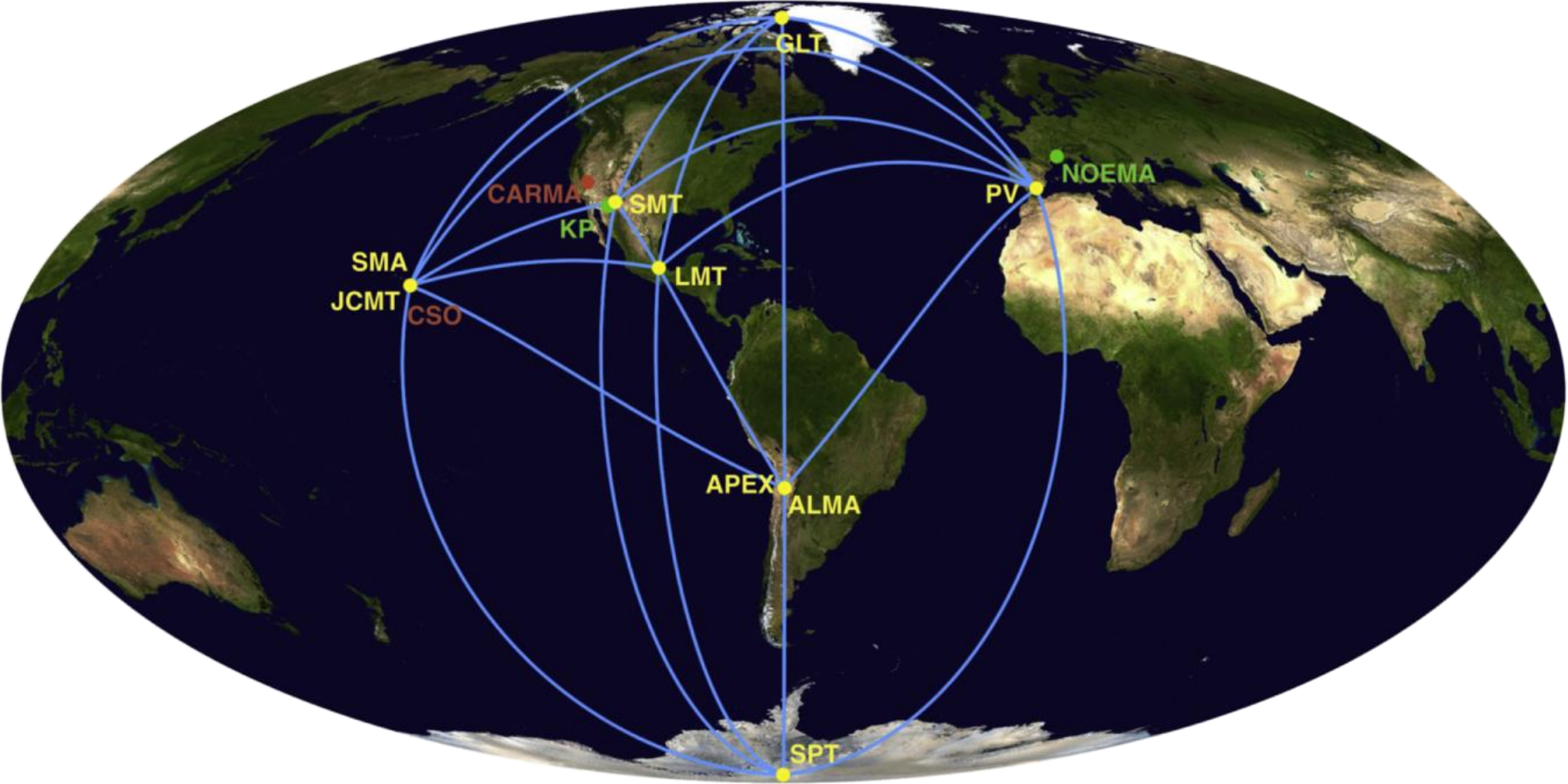
“MAD” - Magnetically Arrested Disk

Note: ‘strong’ fields mean dynamically important ones → ~10 G at the horizon for M87

Blandford-Znajek (1977):  $P_{\text{jet}} \propto \Phi_B^2 a^2$

↑ magnetic flux      ↖ BH spin

# The Event Horizon Telescope



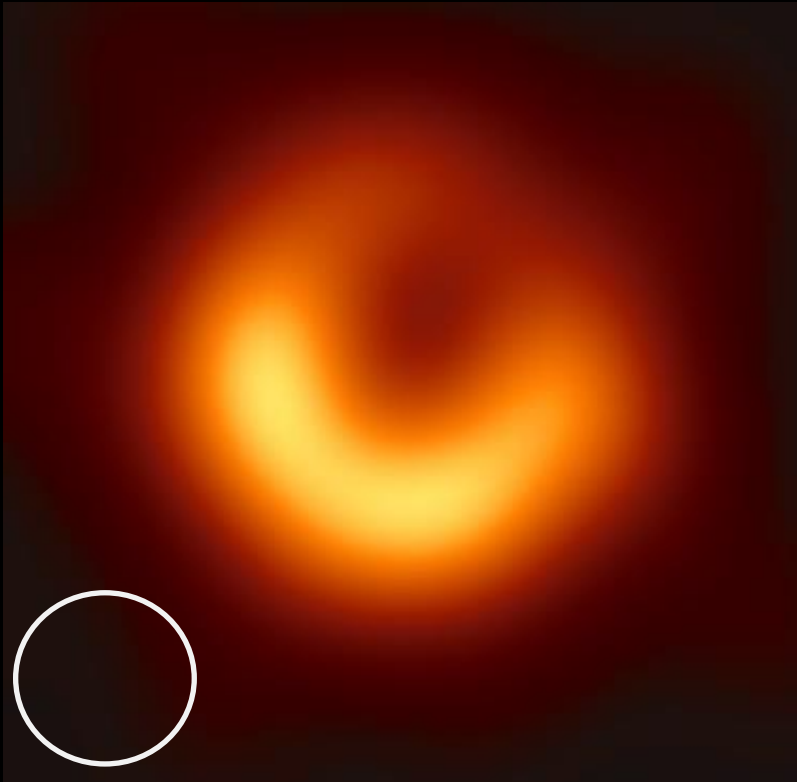
All EHT telescopes can detect and record the **polarization** of light from M87\*

Image Credit:  
EHT Collaboration 2019 (Paper II)

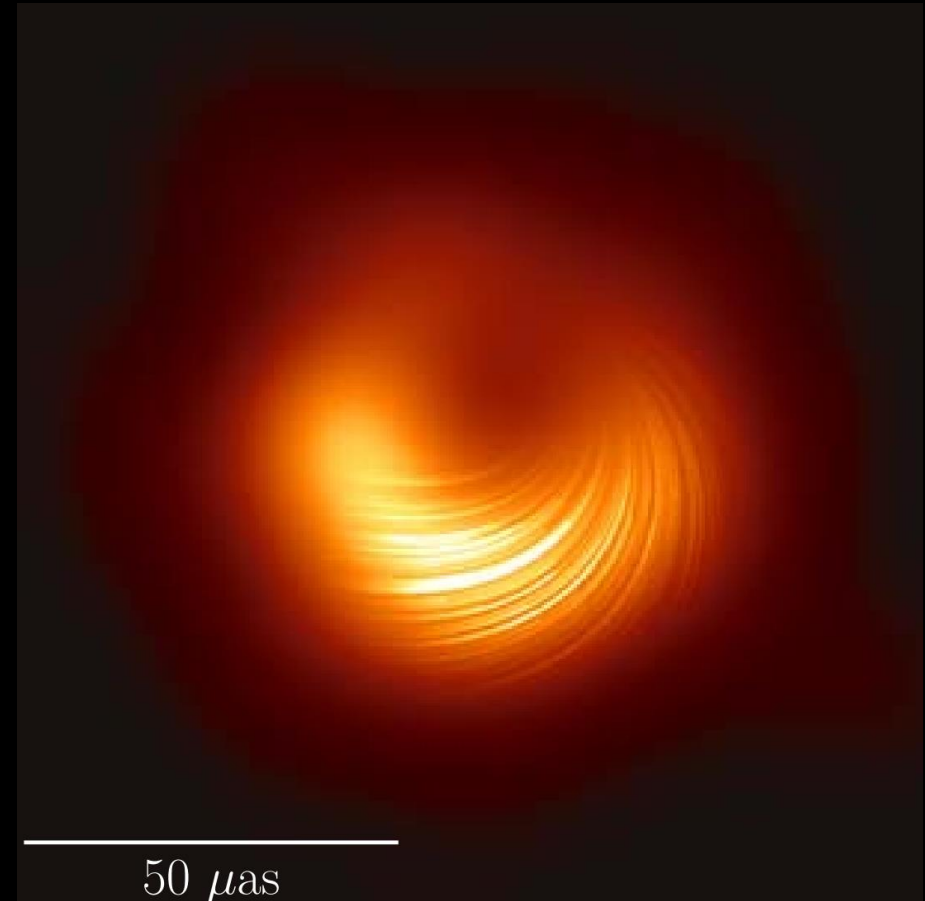


# M87\* in linear polarization

Total intensity

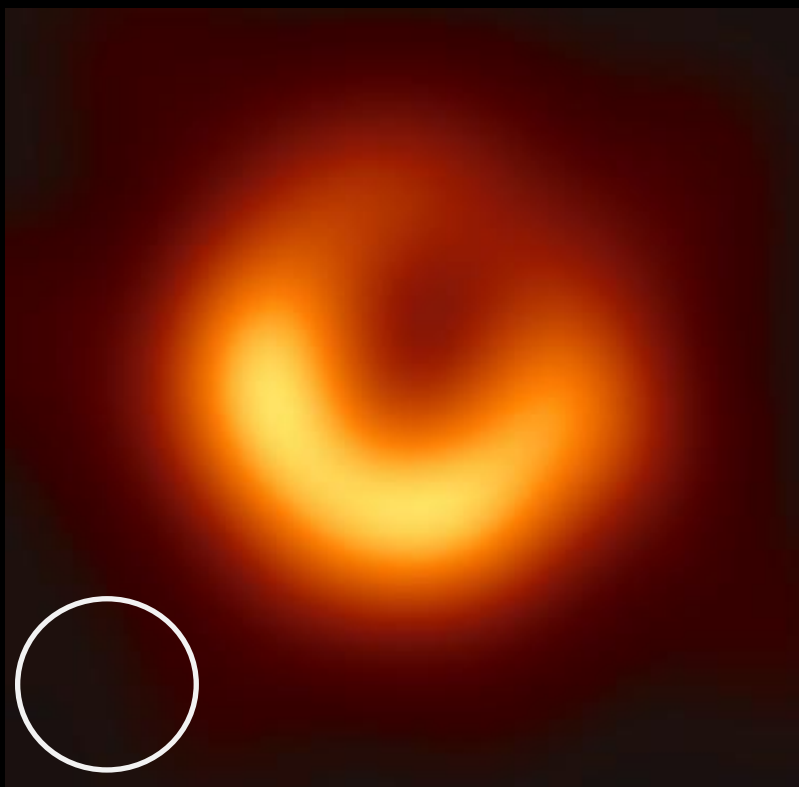


Linear Polarization

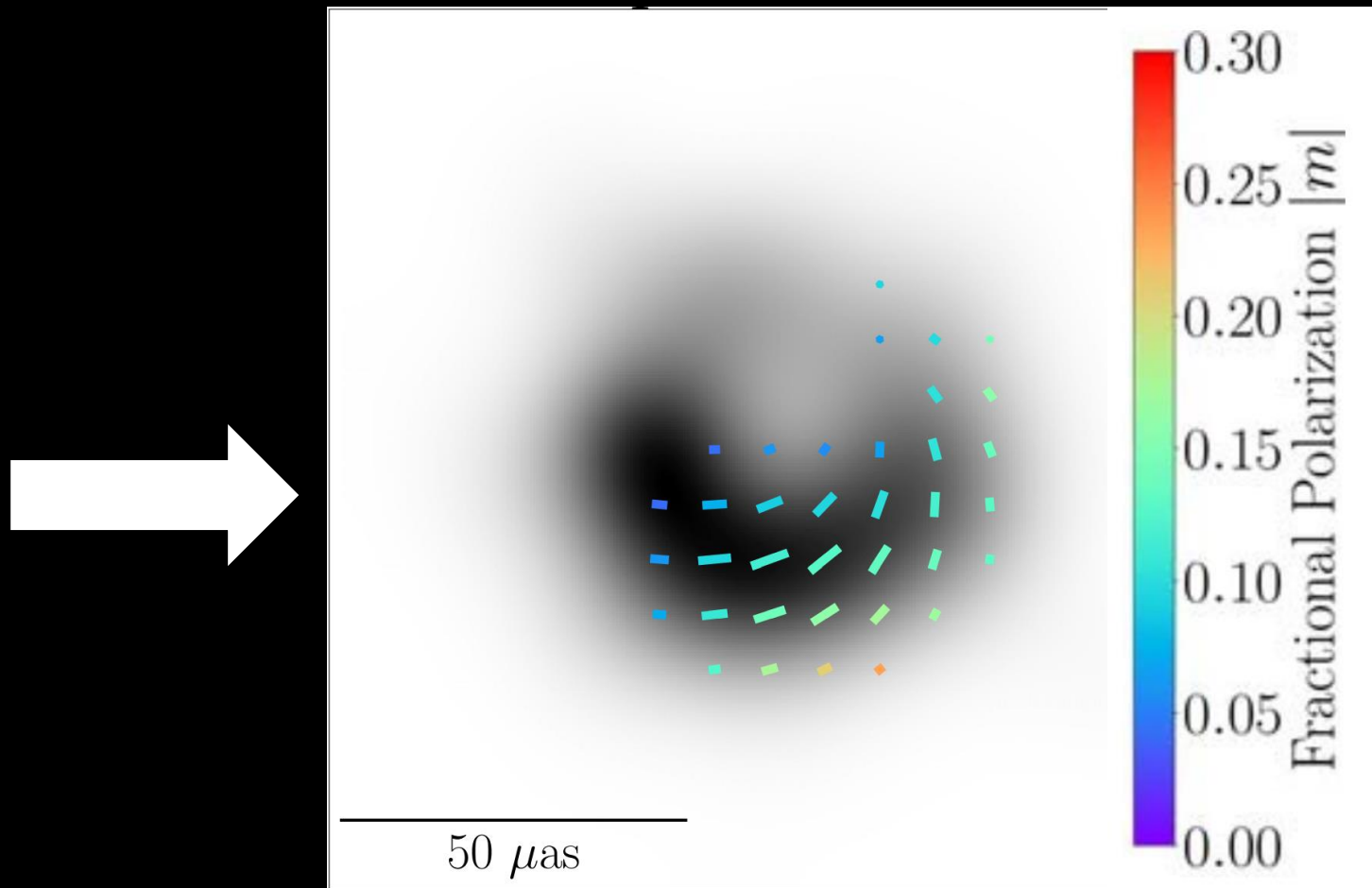


50  $\mu\text{as}$

Total intensity



Linear Polarization



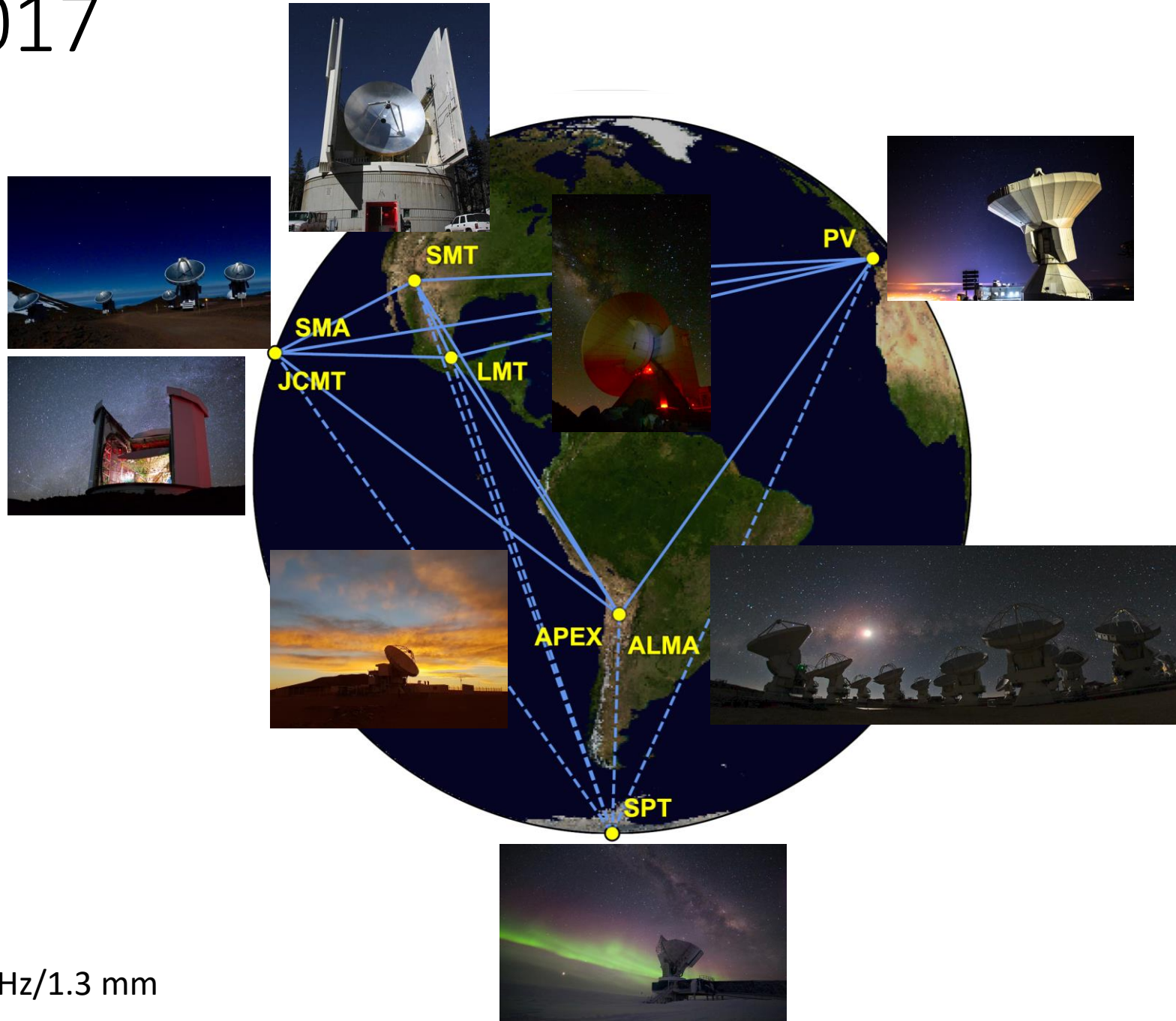


# Outline

1. How do we obtain a polarized image of M87\* with the EHT?
2. What does this image tell us about the magnetic fields near the supermassive black hole?
3. What's next?

How do we obtain a polarized image of M87\* with the EHT?

# EHT 2017



Imaging at 230 GHz/1.3 mm

Photo Credits: EHT Collaboration 2019 (Paper III)  
ALMA, Sven Dornbusch, Junhan Kim, Helge Rottmann,  
David Sanchez, Daniel Michalik, Jonathan Weintraub,  
William Montgomerie, Tom Folkers, ESO, IRAM



# EHT 2017 Observations

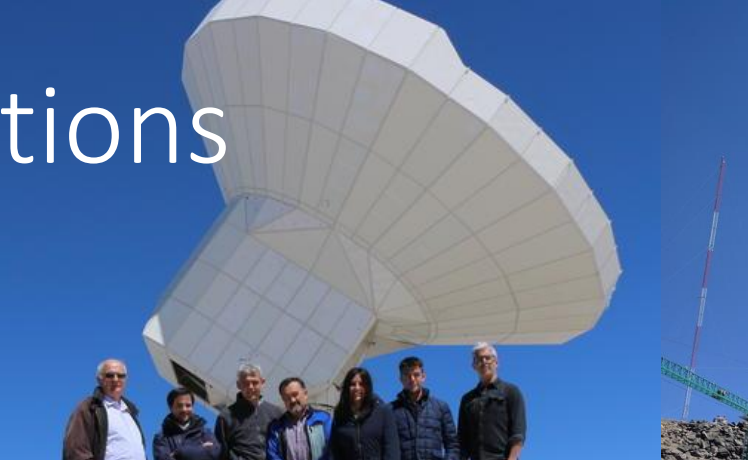
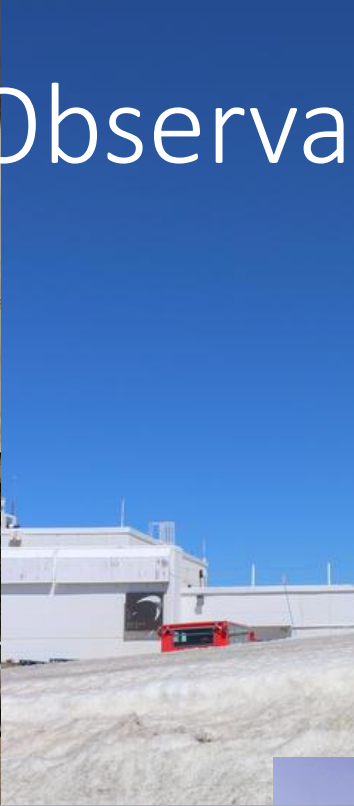
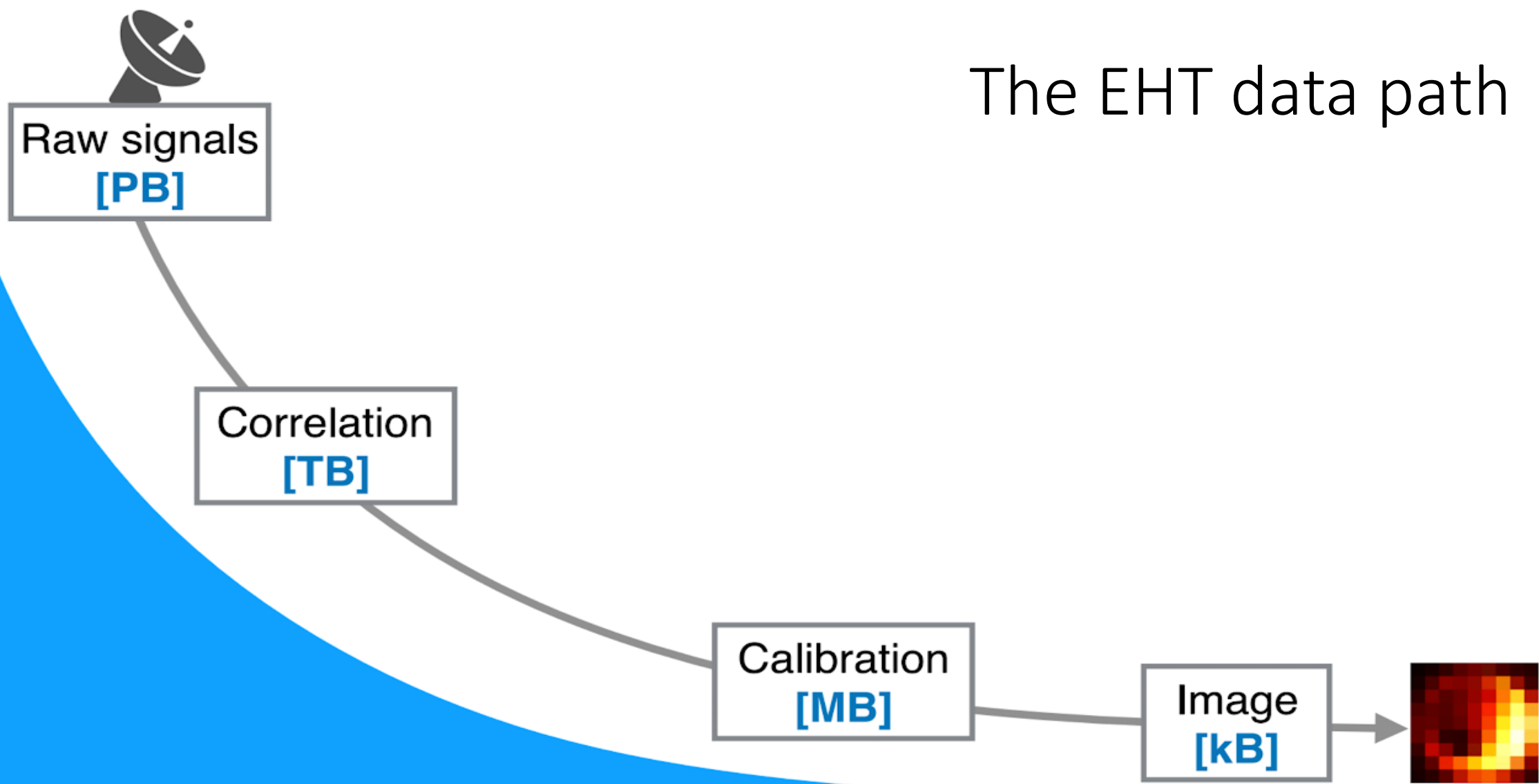


Photo credits:  
David Michalik, Junhan Kim, Salvaor Sanchez, Helge Rottman,  
Jonathan Weintroub, Gopal Narayanan

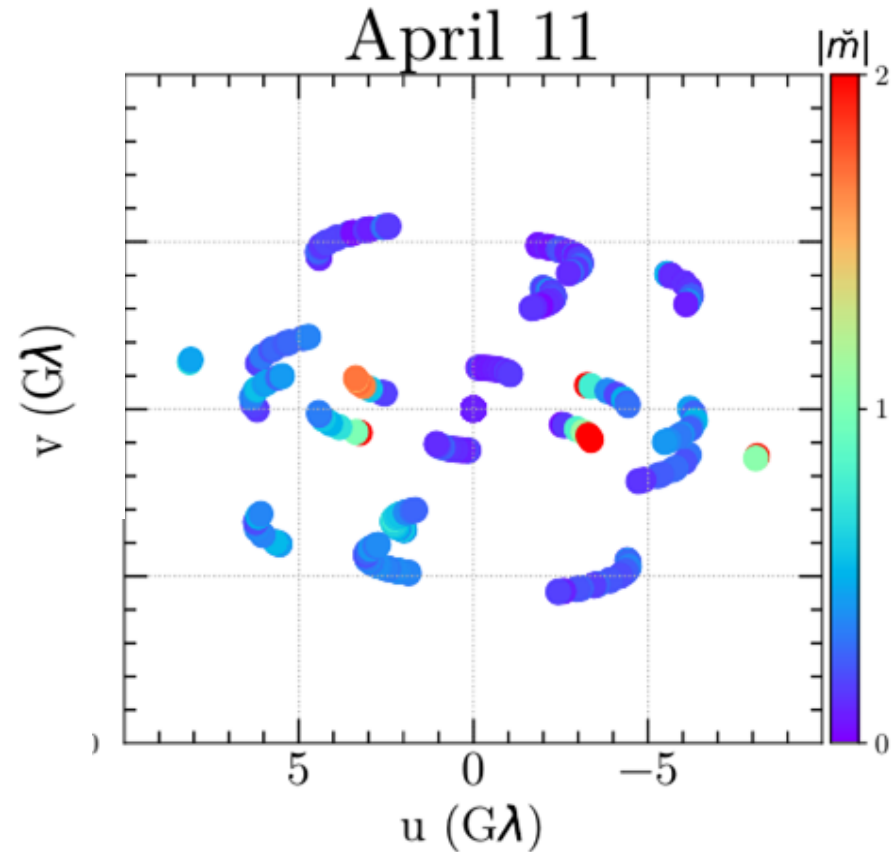
# The EHT data path



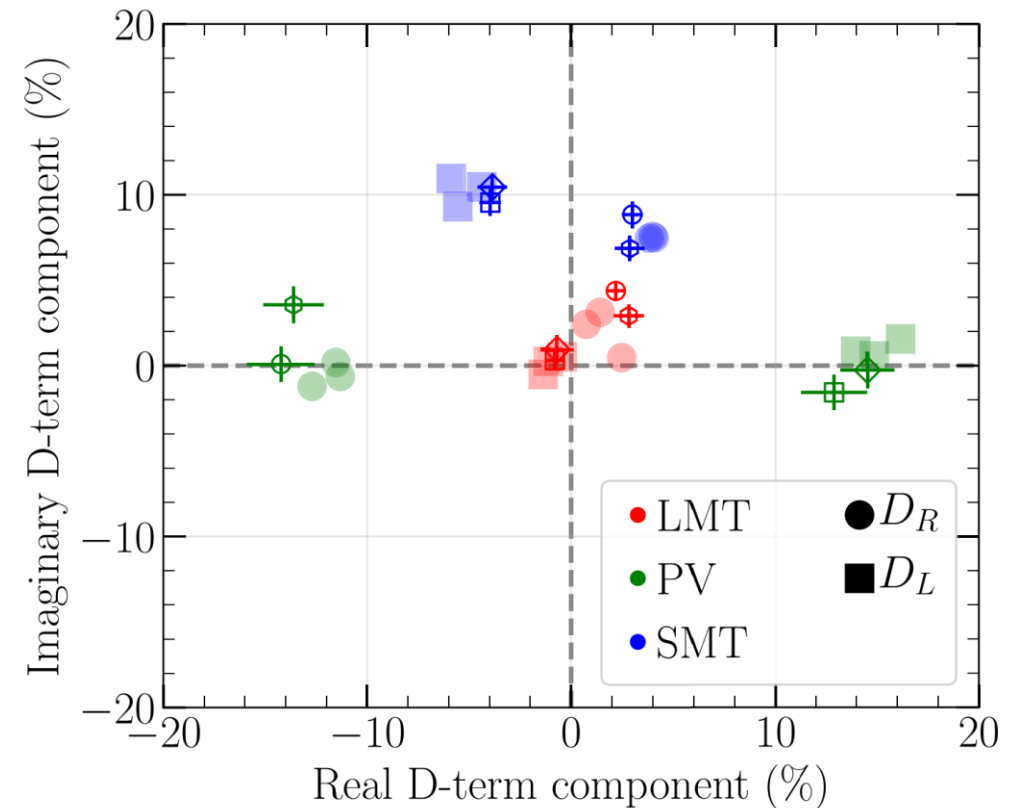


# Two Challenges of EHT polarimetric imaging

1. EHT coverage is **sparse**: inversion of image from the data is highly unconstrained

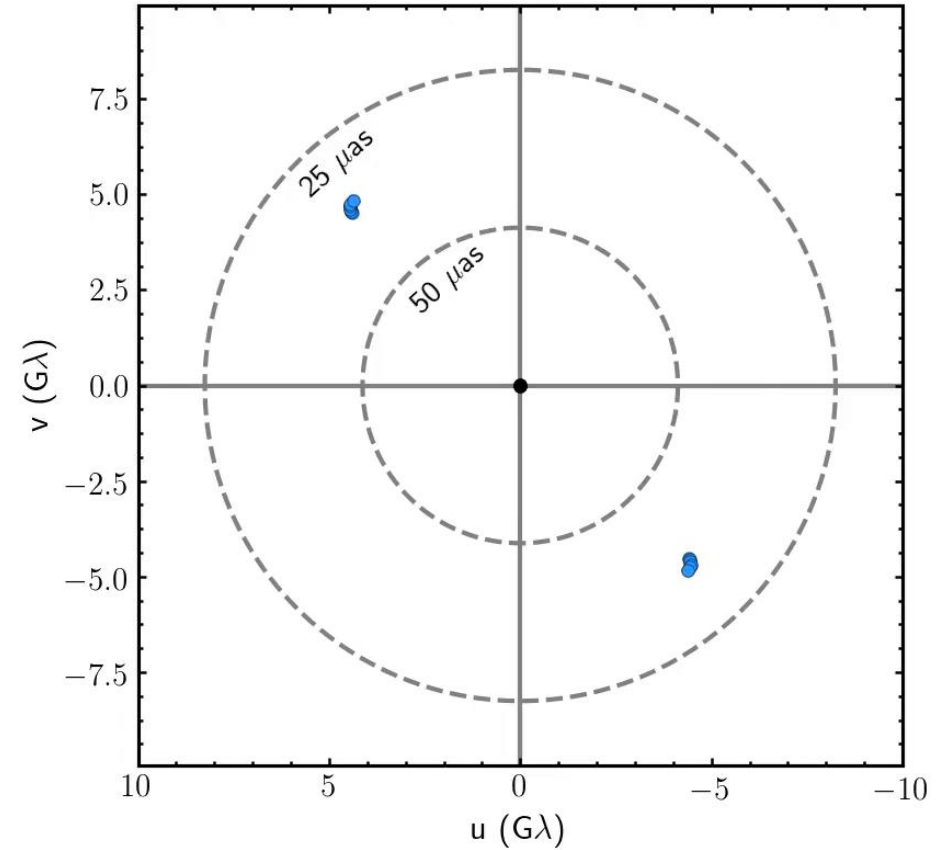


Data at each station are corrupted by unknown polarimetric **leakage** and complex gain factors



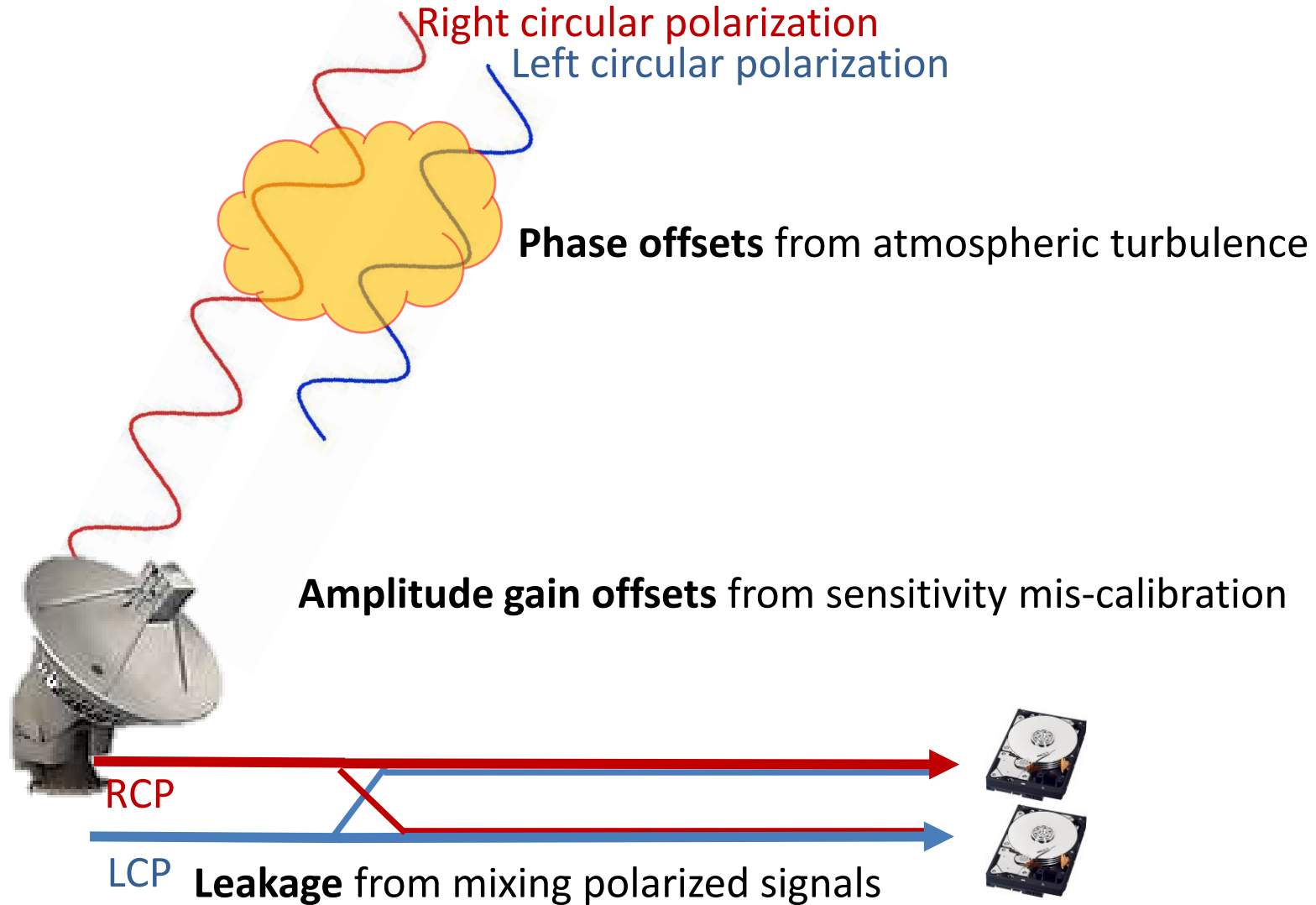


# Very Long Baseline Interferometry (VLBI)



EHT coverage is **sparse**: inversion of image from the data is highly unconstrained

# Corrupting effects at EHT stations



Data at each station are corrupted by unknown polarimetric **leakage** and complex gain factors

# Correcting for polarimetric leakage

**Leakage** mixes right- and left- circular components of the polarization  
The amount of leakage depends on complex **D-terms** at each station

$$\begin{pmatrix} R_1 R_2^* & R_1 L_2^* \\ L_1 R_2^* & L_1 L_2^* \end{pmatrix} \rightarrow \begin{pmatrix} 1 & D_{R,1} \\ D_{L,1} & 1 \end{pmatrix} \begin{pmatrix} R_1 R_2^* & R_1 L_2^* \\ L_1 R_2^* & L_1 L_2^* \end{pmatrix} \begin{pmatrix} 1 & D_{L,1}^* \\ D_{R,1}^* & 1 \end{pmatrix}$$

We don't know the station D-terms in advance (there are no good EHT calibration sources!),  
so we have to solve for them **at the same time as we solve for the image structure**

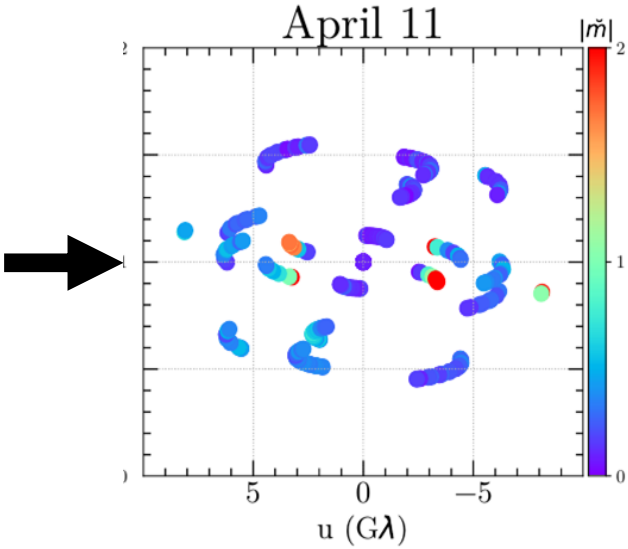


# Solving for the Image

True Image

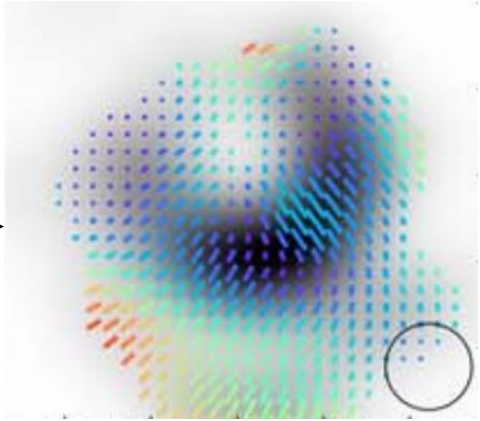


Sparse/ Corrupted Measurements



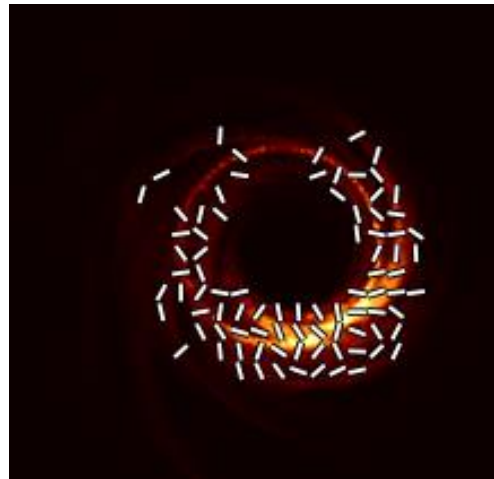
RECONSTRUCTION  
ALGORITHM

Reconstruction

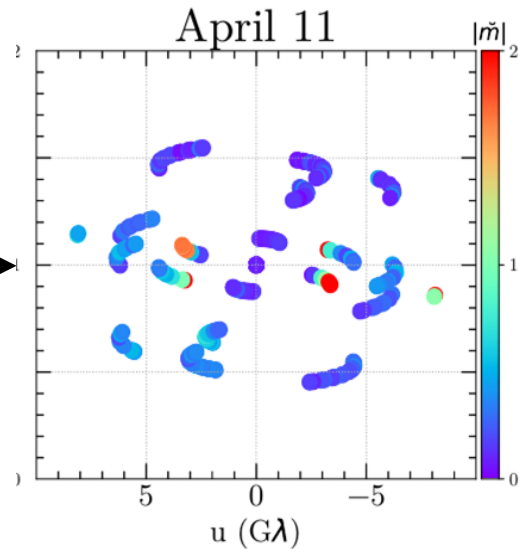


# Solving for the Image

True Image

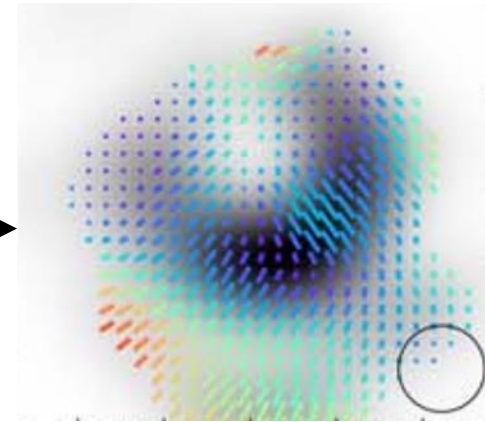


Sparse/ Corrupted  
Measurements



RECONSTRUCTION  
ALGORITHM

Reconstruction



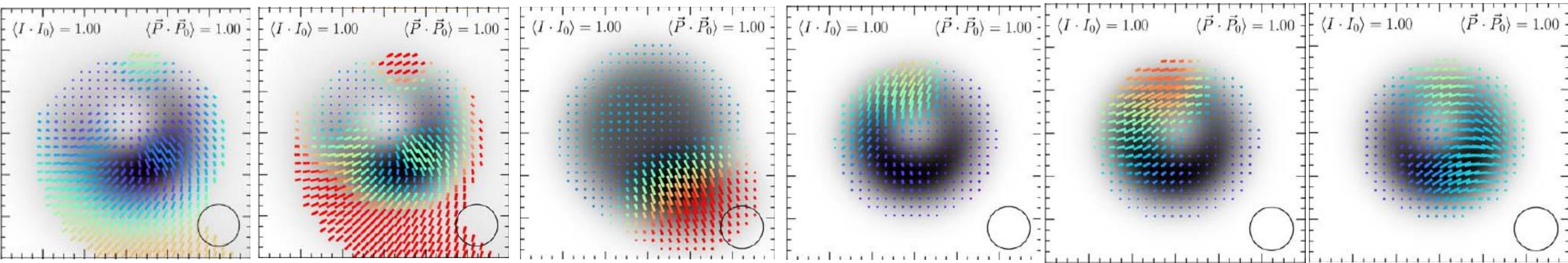
Several different types of reconstruction algorithms now used:

- **CLEAN-based**: standard and efficient, but can have difficulties on very sparse data
  - LPCAL/GPCAL (Park+ 2021) and polysolve (Marti-Vidal+ 21)
- **Regularized Maximum Likelihood w/ Gradient Descent**: fast and flexible, but lots of hyperparameters
  - eht-imaging (Chael+ 2016, 2018)
- **Bayesian MCMC posterior exploration**: fully characterizes uncertainty, but expensive
  - Themis (Broderick+ 21), DMC (Pesce+ 21)

credit: Katie Bouman, Andrew Chael,

EHTC 2021. Paper VII

# Testing our methods with synthetic data



Low polarization simulation

High polarization simulation

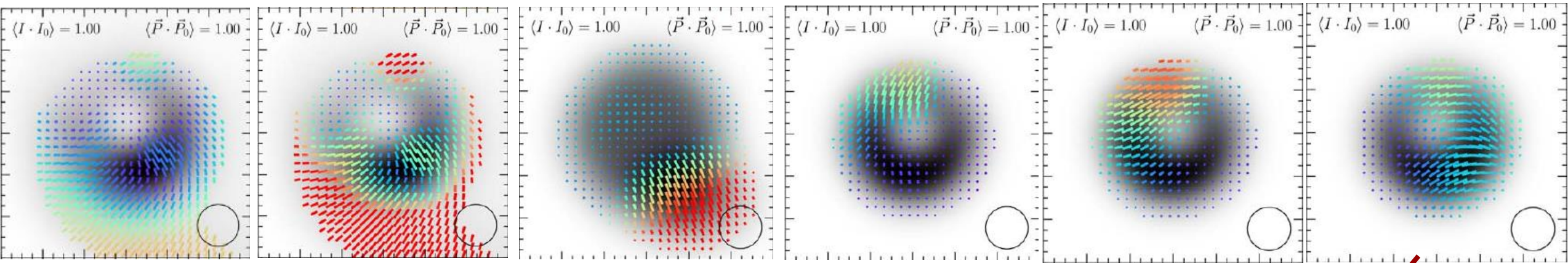
Simple disk with high polarization offset

Simple crescent models with patterns of low and high polarization

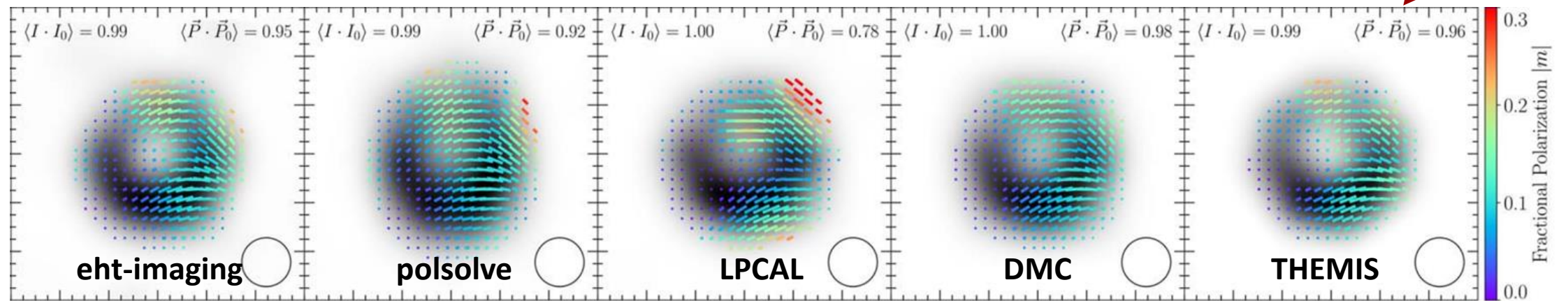
Synthetic data are corrupted with realistic instrumental effects, including polarization leakage



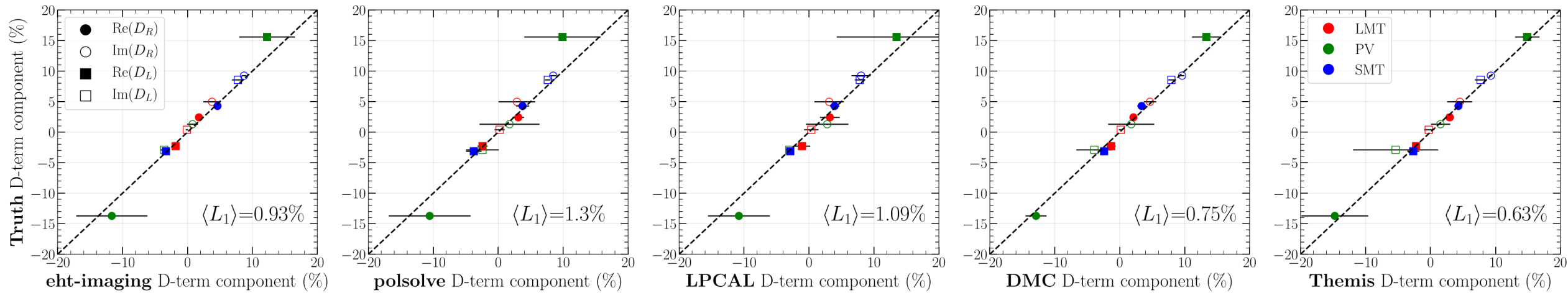
# Testing our methods with synthetic data: Image recovery



Example reconstruction of Model 6 using **5 distinct methods**



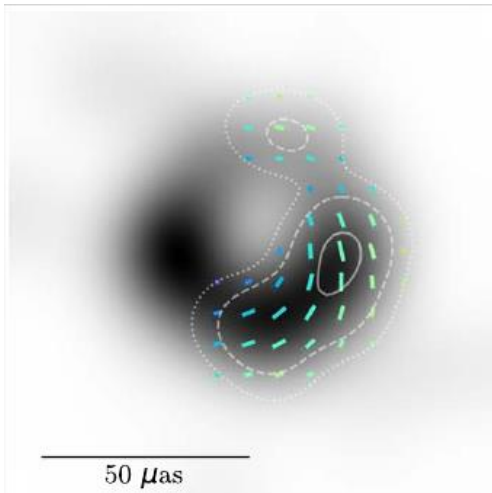
# Testing our methods with synthetic data: D-term recovery



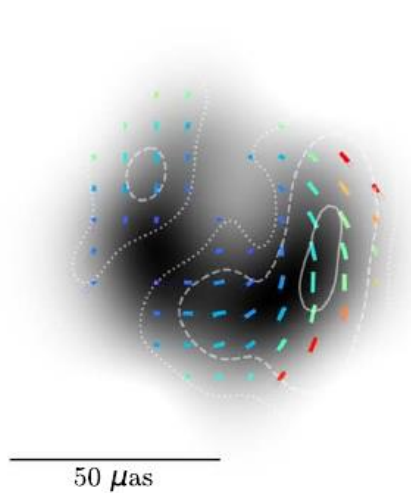
All methods can accurately solve for station D-terms in the synthetic data

# Images for **April 11** from five vetted methods

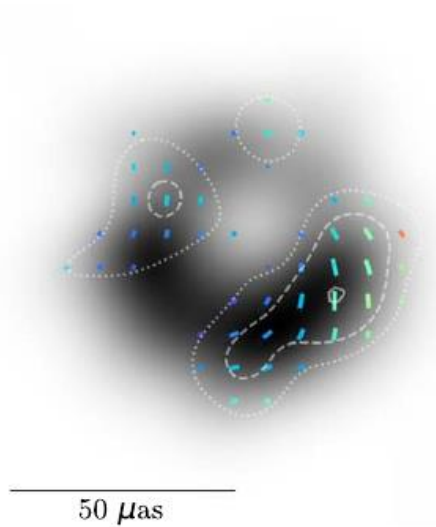
*eht-imaging*



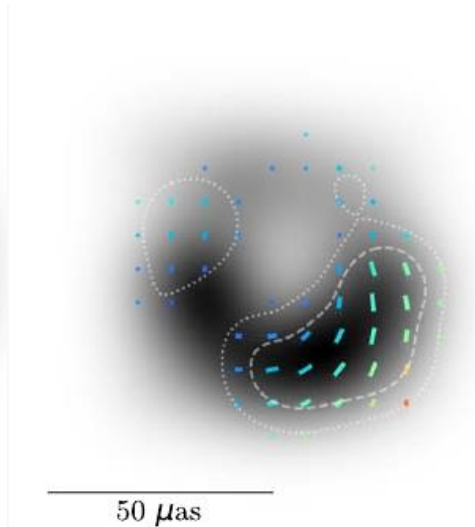
*polsolve*



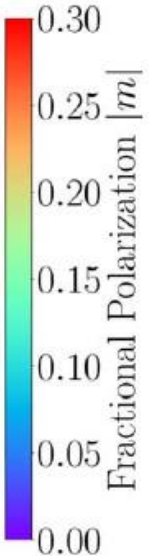
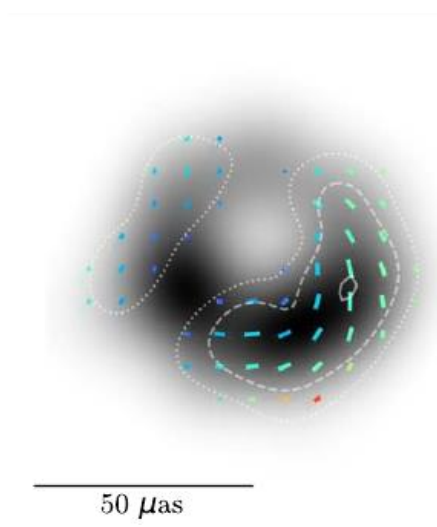
*LPCAL*



*DMC*



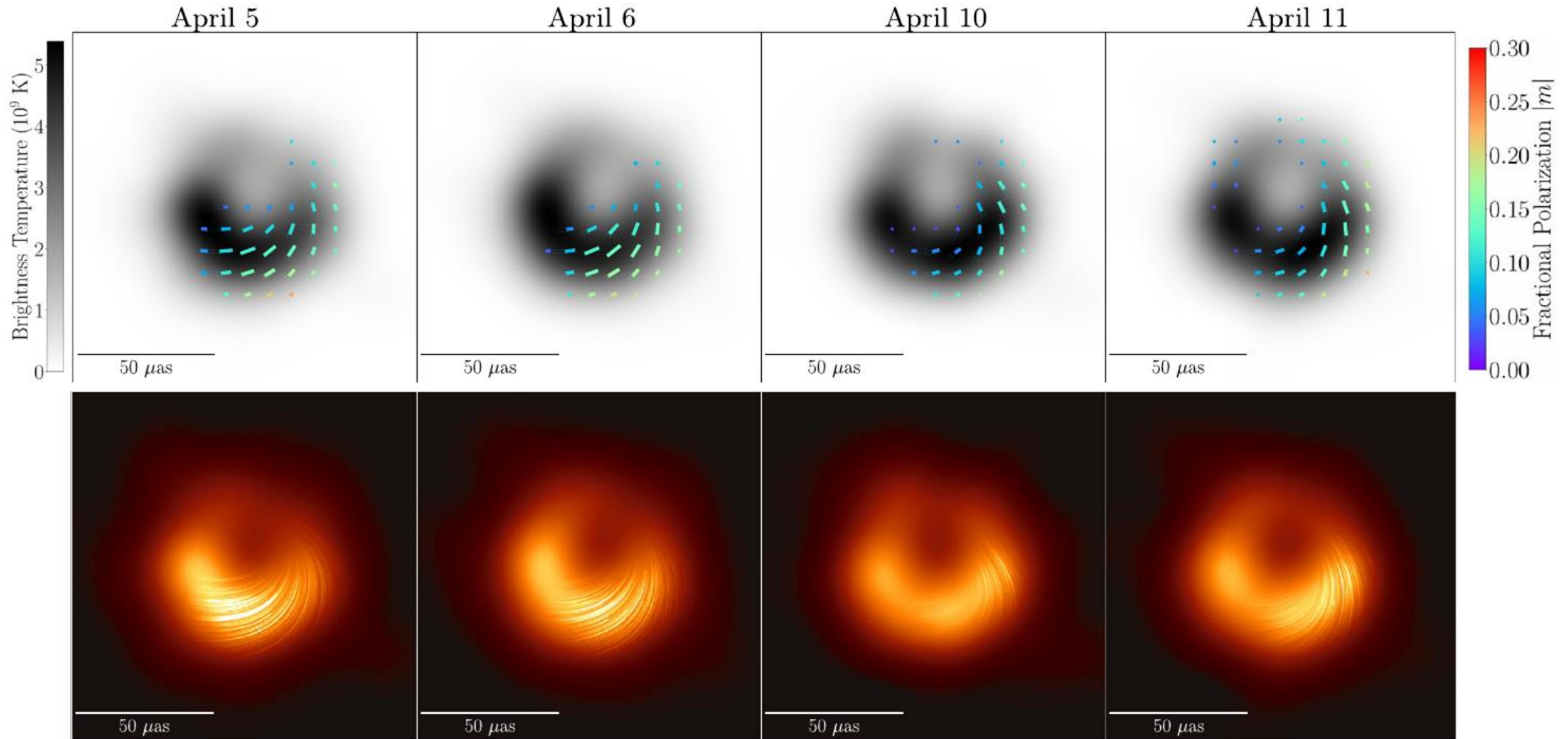
*THEMIS*



- All methods show similar polarization structure
- Polarization is concentrated in the southwest
- Polarization angle structure is predominantly **azimuthal**
- Overall level of polarization is **somewhat weak**,  $|m|$  rises to  $\sim 15\%$



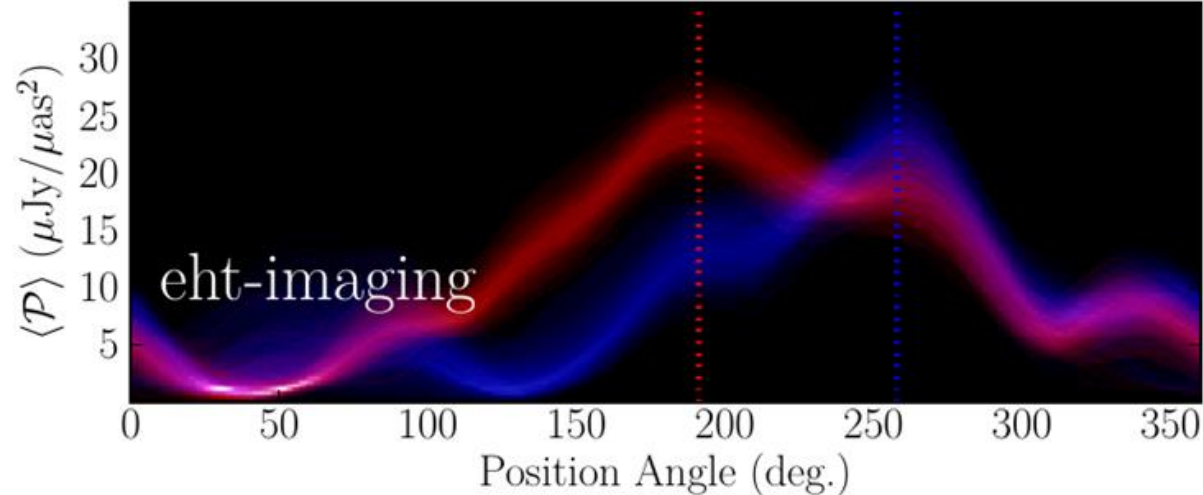
# Fiducial Method-Averaged Images



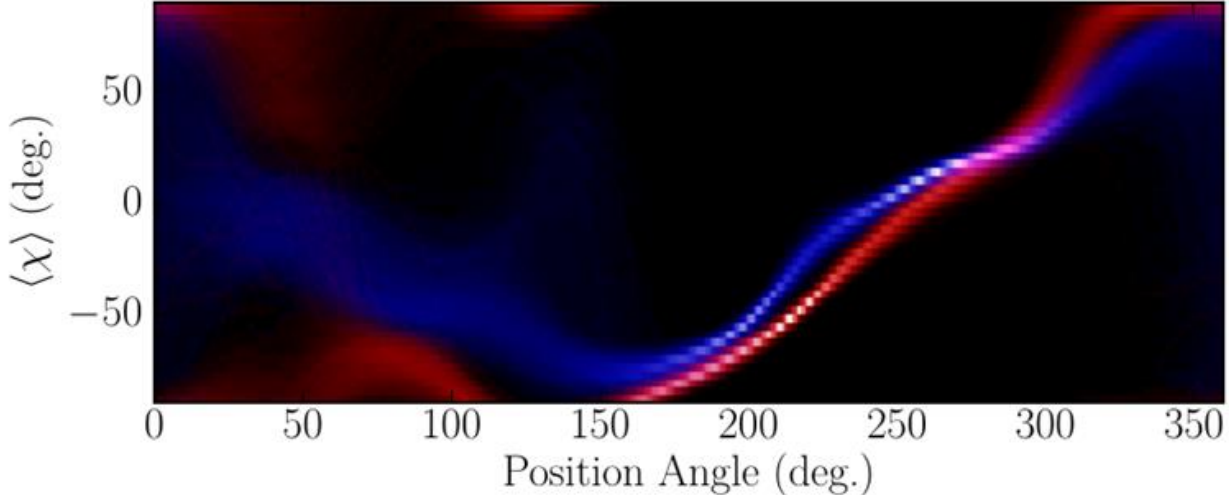
Consistent overall structure, but **hints of time-variability**  
over the week of observations?

# Azimuthal profiles of the polarized image

unwrapped polarization magnitude

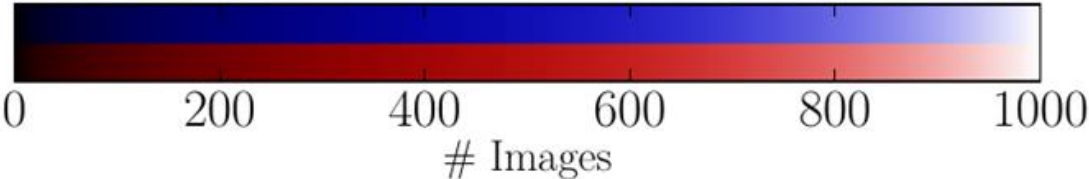


unwrapped polarization angle



April 5

April 11

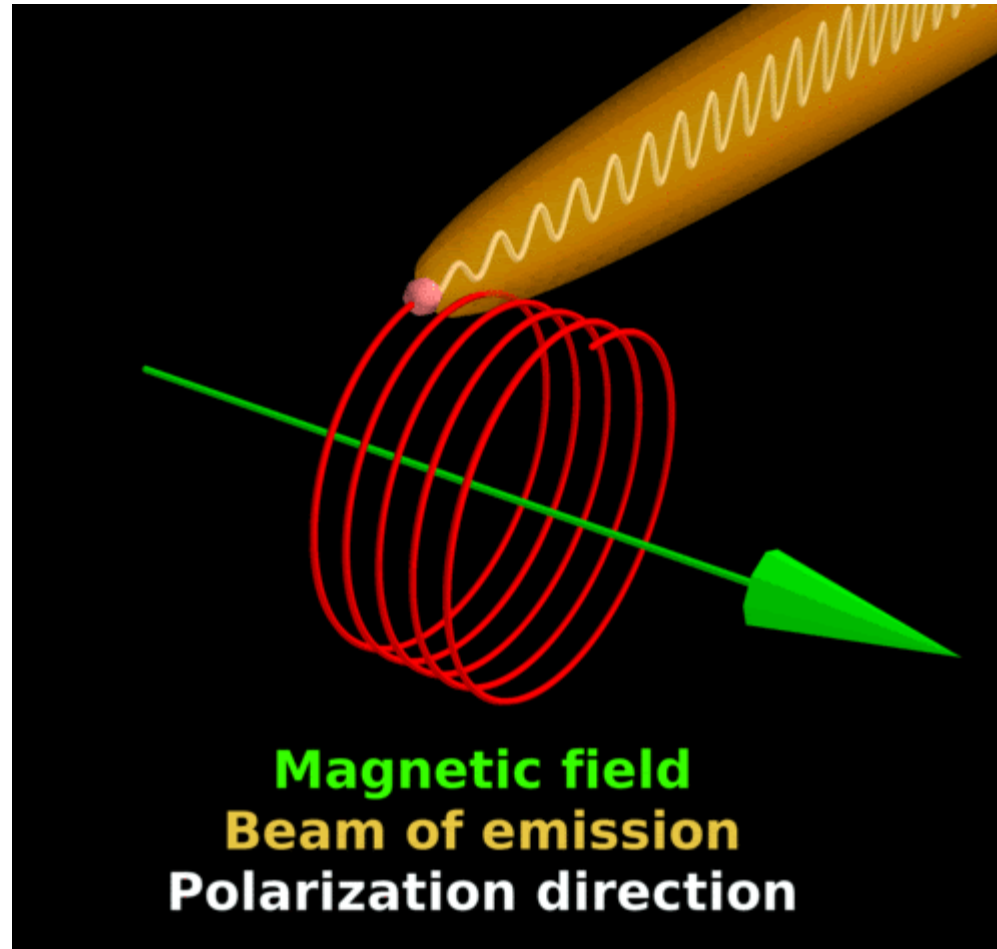


An apparent change in the position angle of the polarization brightness peak from April 5 to April 11

What does this image tell us about magnetic fields near the supermassive black hole?

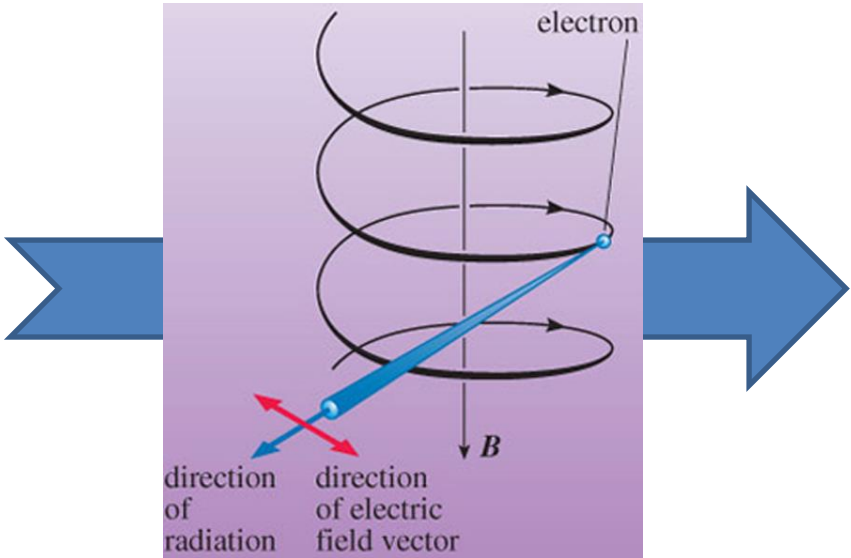
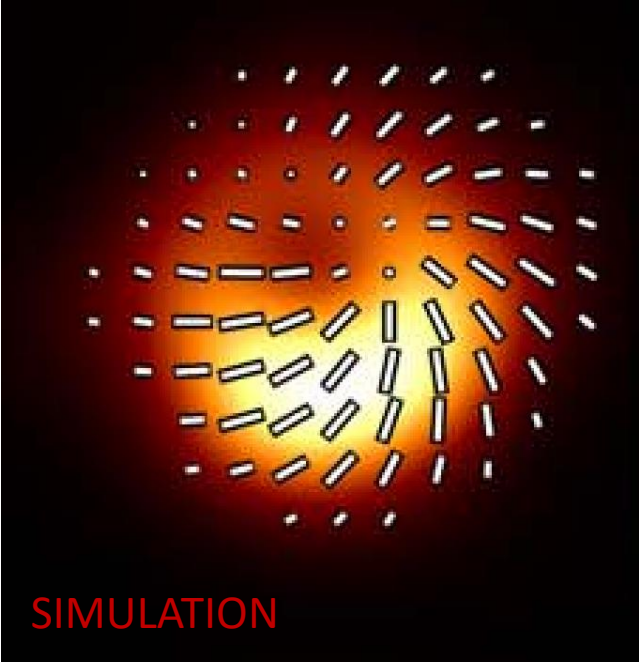


# Synchrotron polarization traces magnetic fields



Synchrotron radiation is emitted with polarization **perpendicular** to the magnetic field line

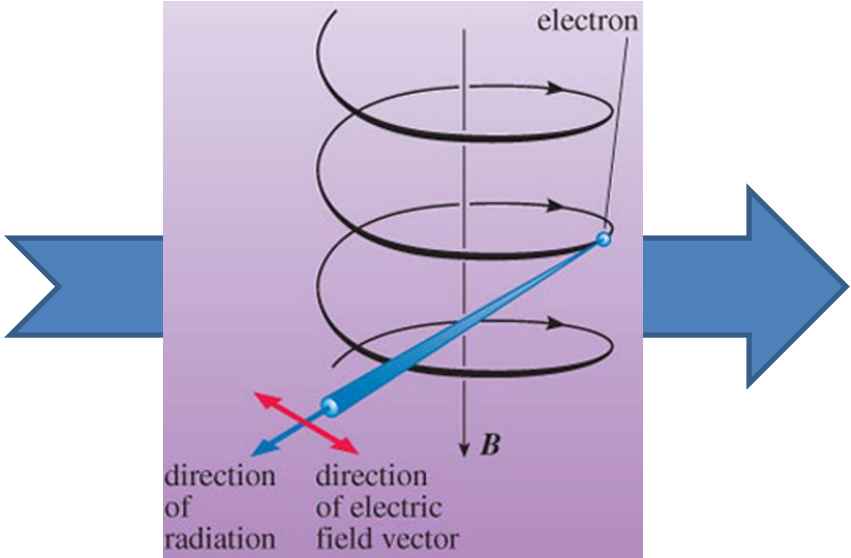
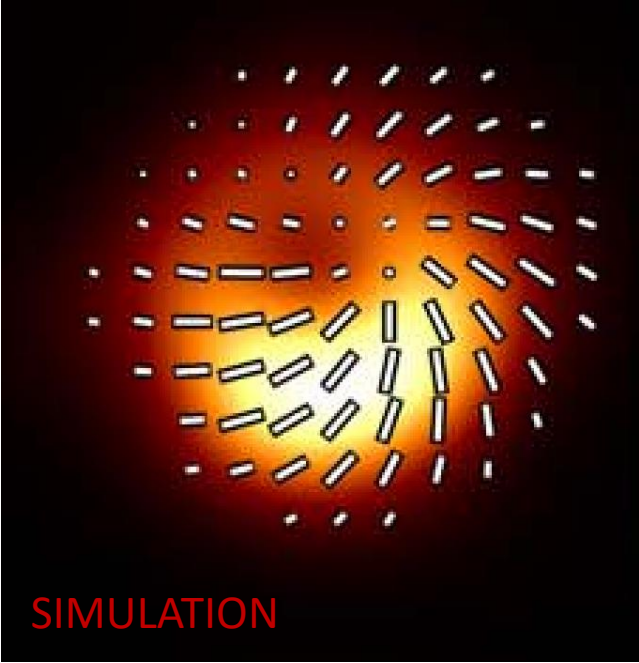
# Synchrotron polarization traces magnetic fields



Magnetic field directions in the emission region!

Synchrotron radiation is emitted with polarization **perpendicular** to the magnetic field line

# Synchrotron polarization traces magnetic fields



Magnetic field direction in the emission region!

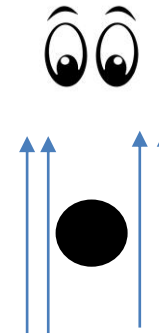
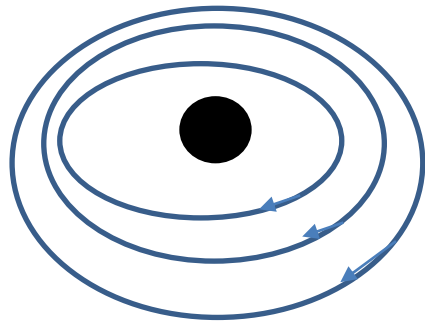
**Relativity and Faraday effects make the situation in M87\* more complicated!**



# Relativity matters!

3 simple models, viewed face on

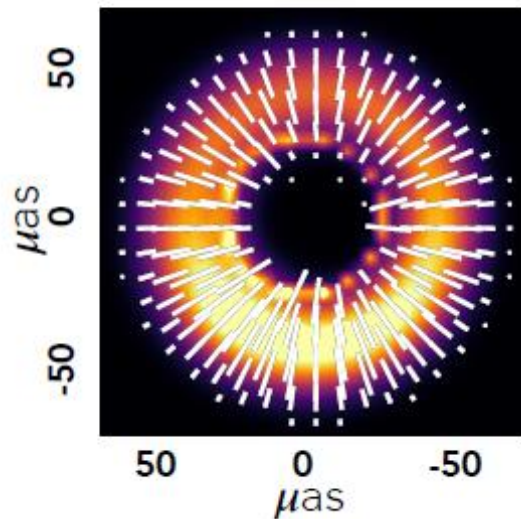
Field structure



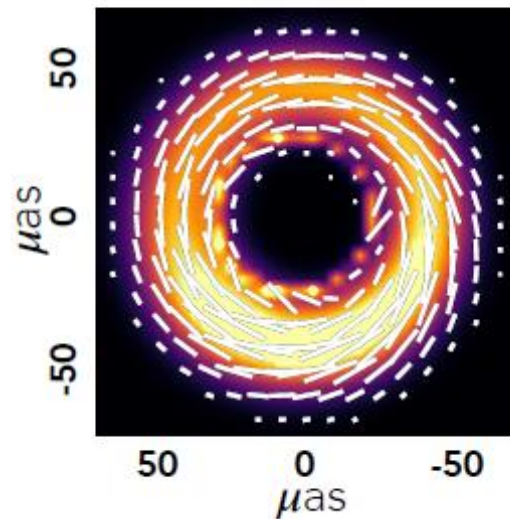
Vertical field scenario would be **unpolarized** without bent photon trajectories!

Observed image

TOROIDAL MAGNETIC FIELD



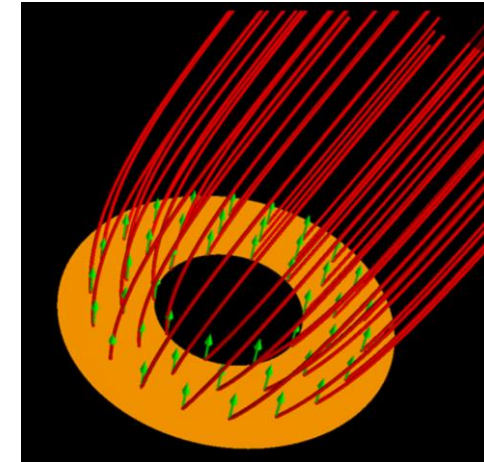
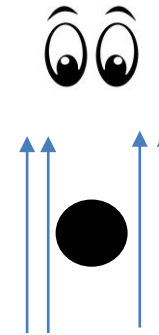
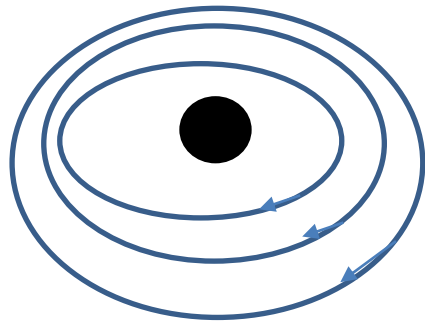
RADIAL MAGNETIC FIELD



# Relativity matters!

3 simple models, viewed face on

Field structure

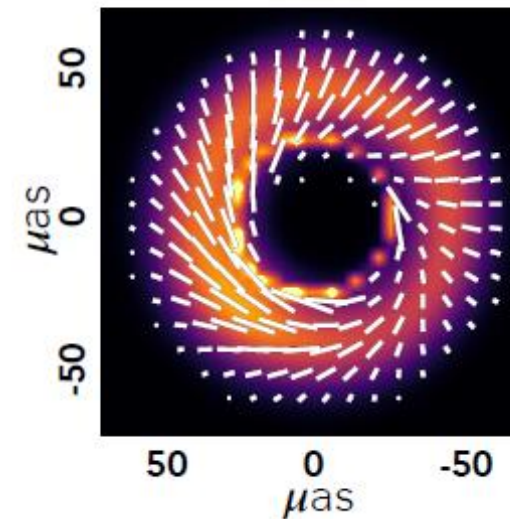
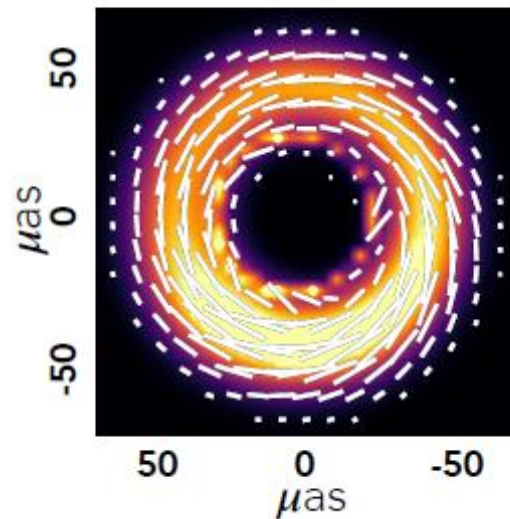
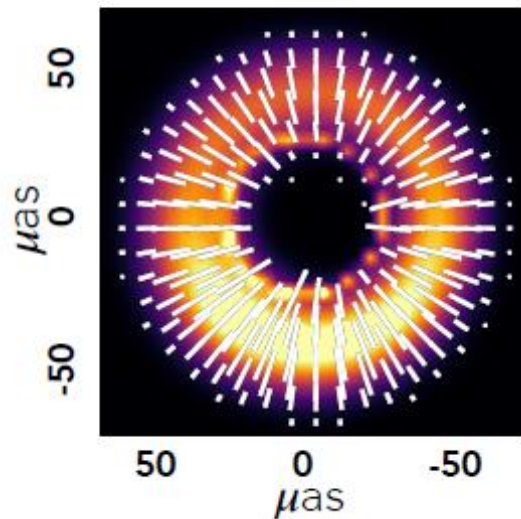


TOROIDAL MAGNETIC FIELD

RADIAL MAGNETIC FIELD

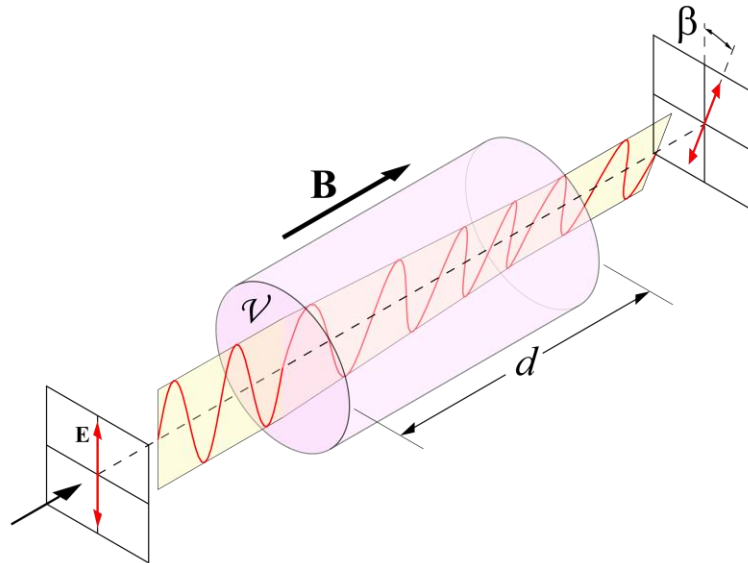
VERTICAL MAGNETIC FIELD

Observed image



# Faraday rotation matters!

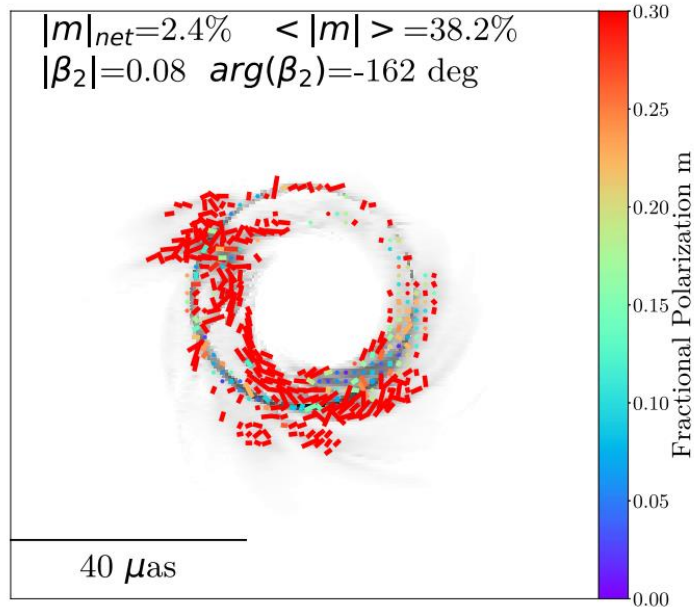
- Light propagation in a plasma **rotates** the plane of polarization



- ‘Internal’ vs ‘External’ Faraday rotation:
  - **External**  $\rightarrow$  rotation is far from the source, polarization rotated by same angle everywhere
  - **Internal**  $\rightarrow$  rotation is inside emitting source, different image regions rotated by different amounts

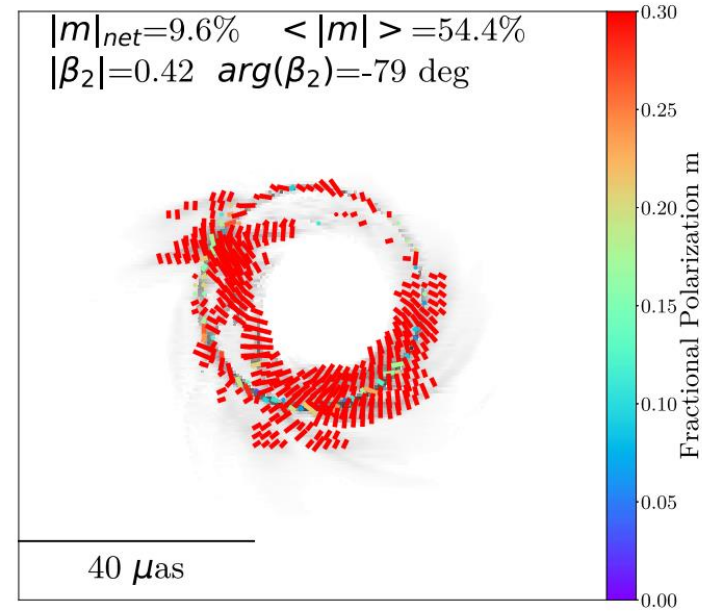
# (Internal) Faraday rotation matters!

With rotation



'infinite' resolution

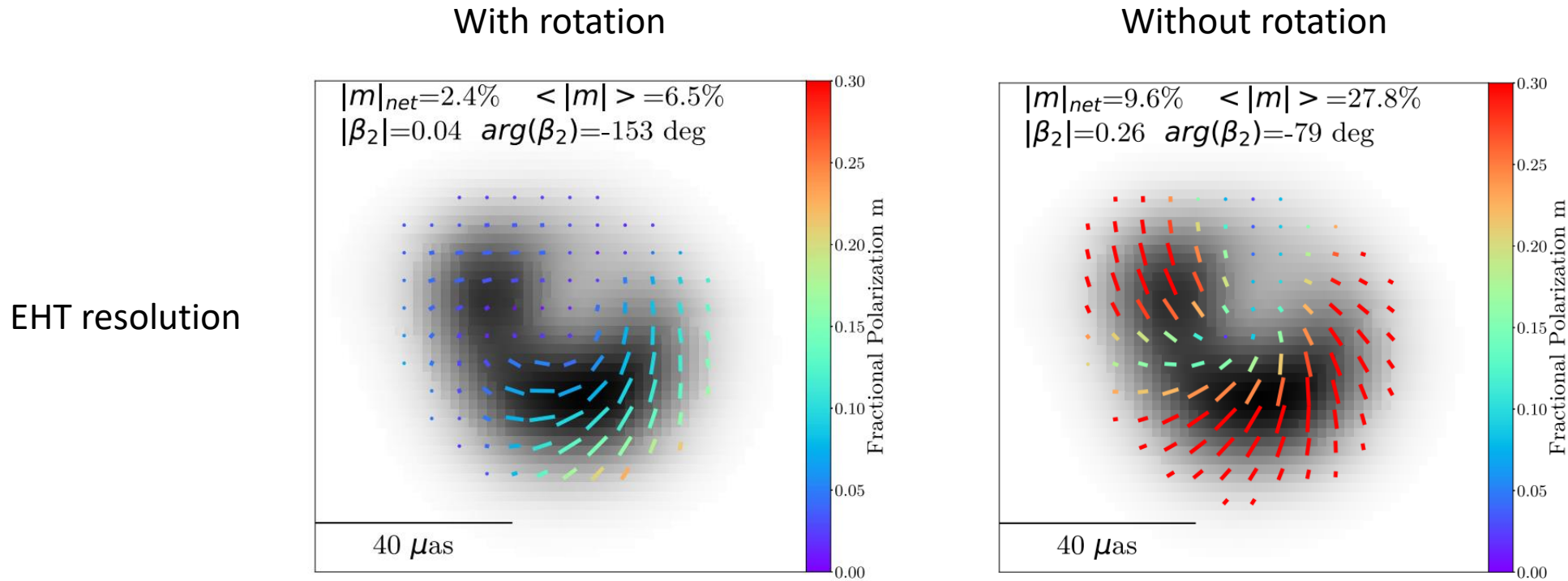
Without rotation



- Significant Faraday rotation on small scales
  - **scrambles** polarization directions
  - **depolarization** of the image when blurred to EHT resolution
  - **overall rotation** of the pattern when blurred to EHT resolution



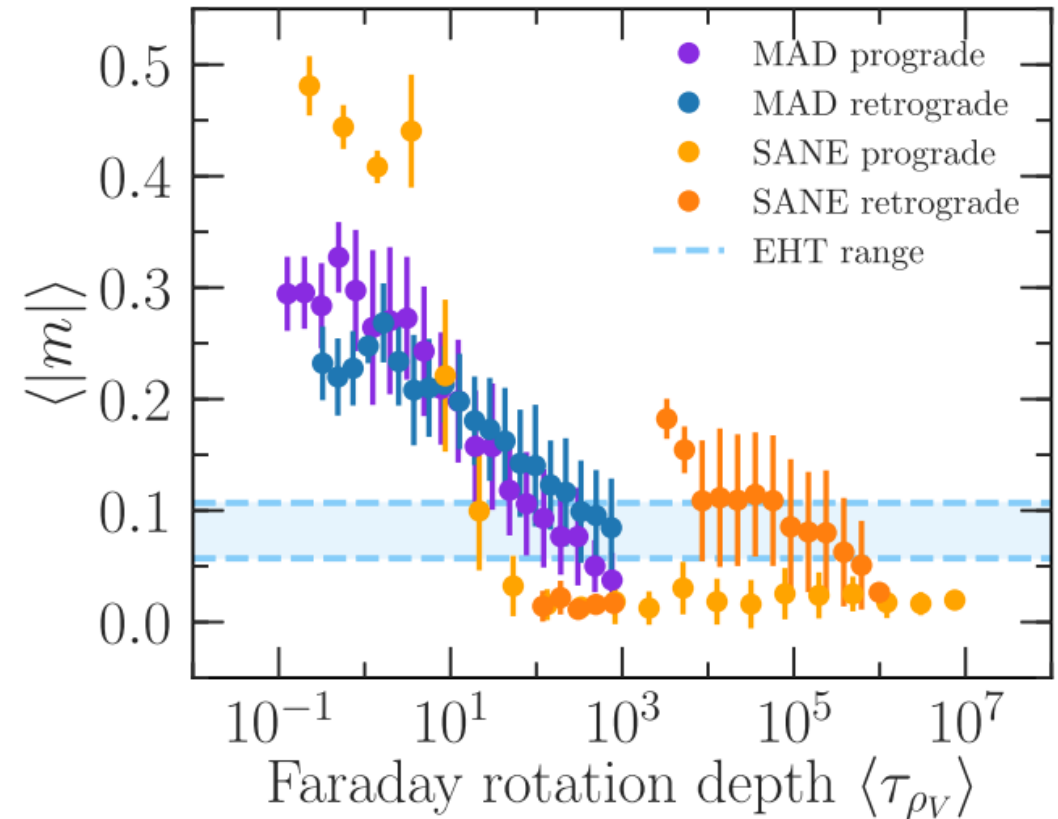
# (Internal) Faraday rotation matters!



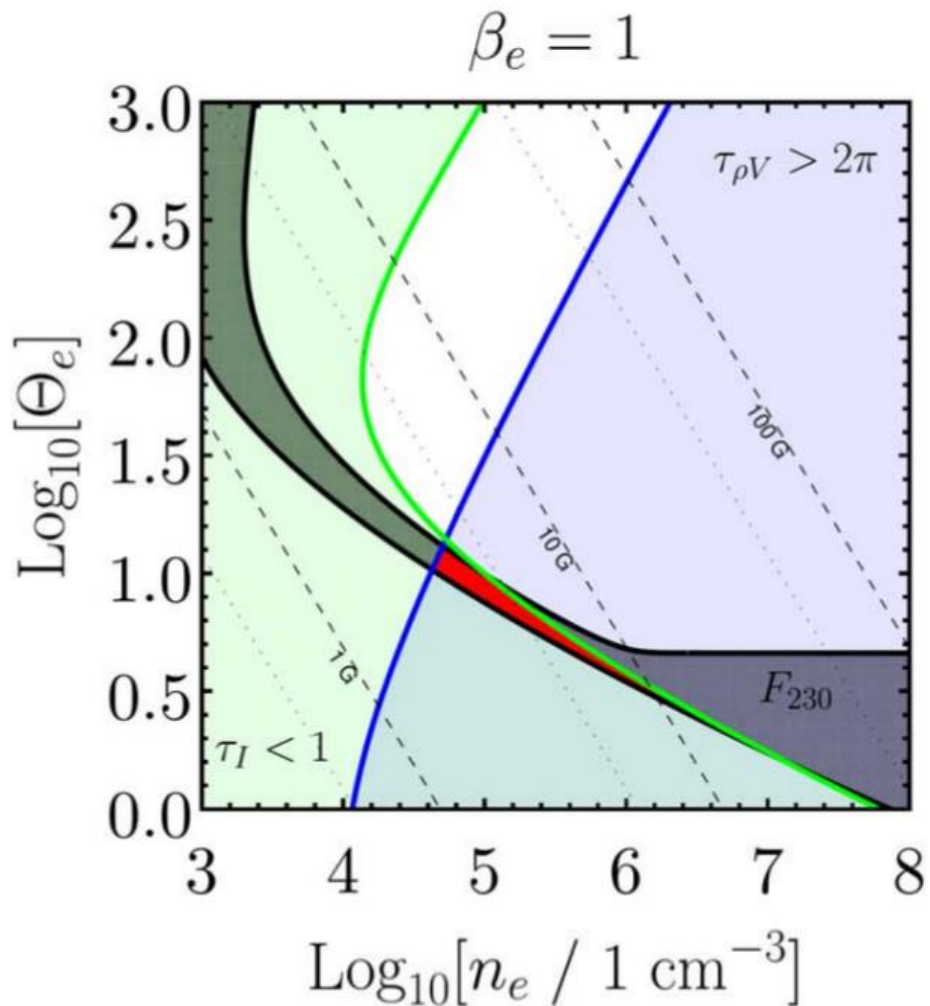
- Significant Faraday rotation on small scales
  - **scrambles** polarization directions
  - **depolarization** of the image when blurred to EHT resolution
  - **overall rotation** of the pattern when blurred to EHT resolution

# (Internal) Faraday rotation matters!

- Significant Faraday rotation on small scales
  - **scrambles** polarization directions
  - **depolarization** of the image when blurred to EHT resolution
  - **overall rotation** of the pattern when blurred to EHT resolution
- In simulations, only significant internal Faraday rotation can produce the low fractional polarization we observe

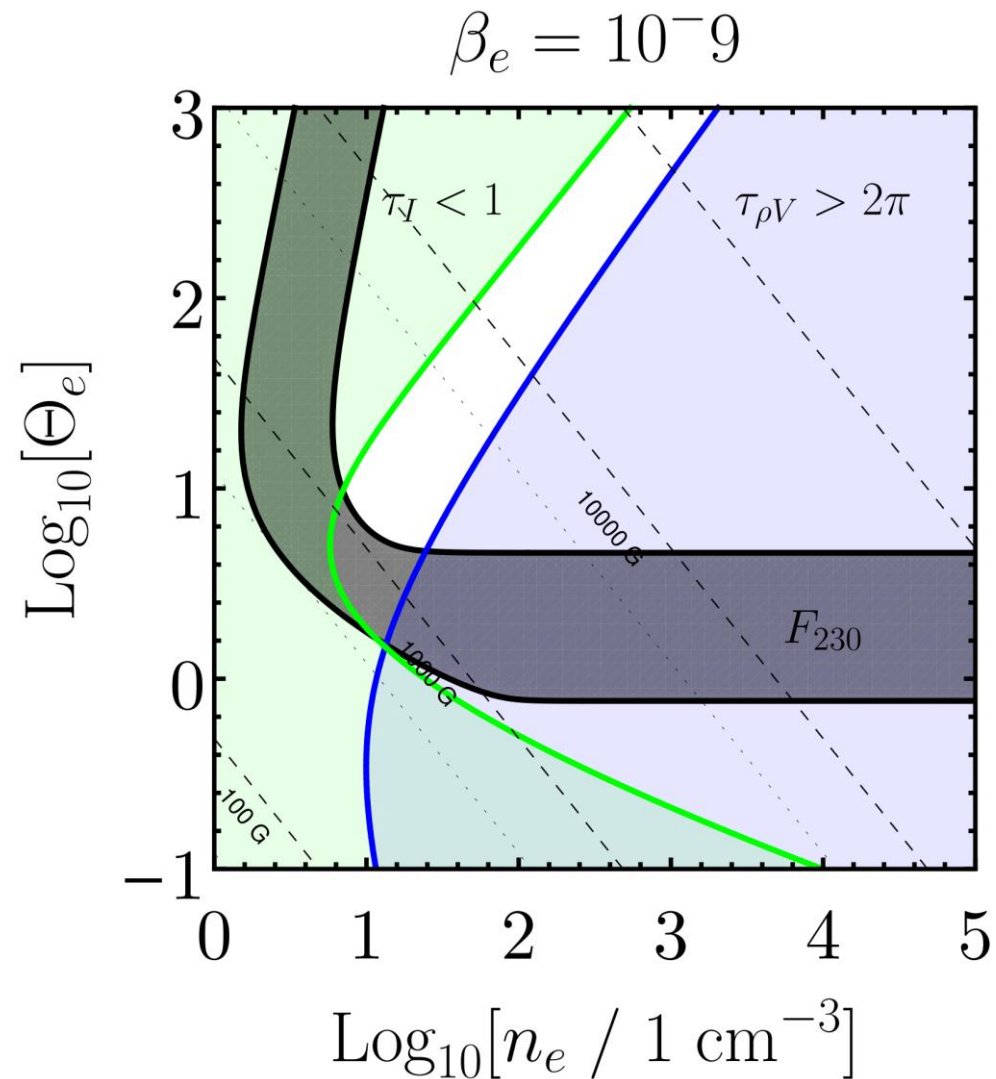


# Faraday rotation constrains the plasma parameters: Simple one-zone model



- Isothermal sphere model: no GR or SR effects
- Demand that the emission satisfy 3 constraints:
  - Optically thin
  - Faraday thick
  - Total flux density in EHT range for M87
- Constrains the electron temperature, number density, and magnetic field strength:
  - $10^{10} < T < 1.2 \times 10^{11}$  K
  - $10^4 < n < 10^7 \text{ cm}^{-3}$
  - $1 < |B| < 30$  G
- Density is most sensitive to  $\beta$  (magnetic pressure/gas pressure) assumed in the model

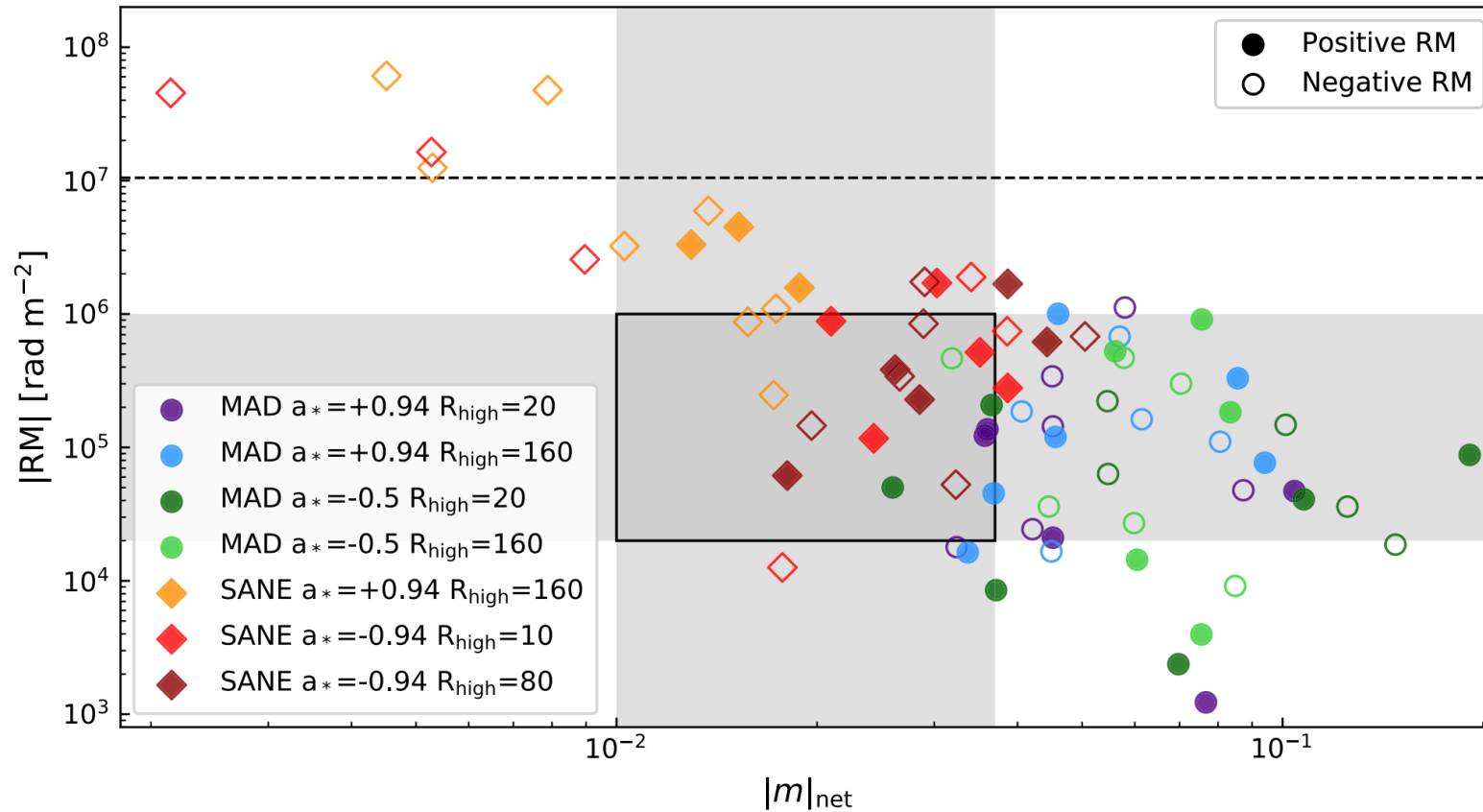
# Faraday rotation constrains the plasma parameters: Simple one-zone model



- Isothermal sphere model: no GR or SR effects
- Demand that the emission satisfy 3 constraints:
  - Optically thin
  - Faraday thick
  - Total flux density in EHT range for M87
- This model disfavors very strong (kG) fields, where the emission would have to be optically thick to be Faraday thick

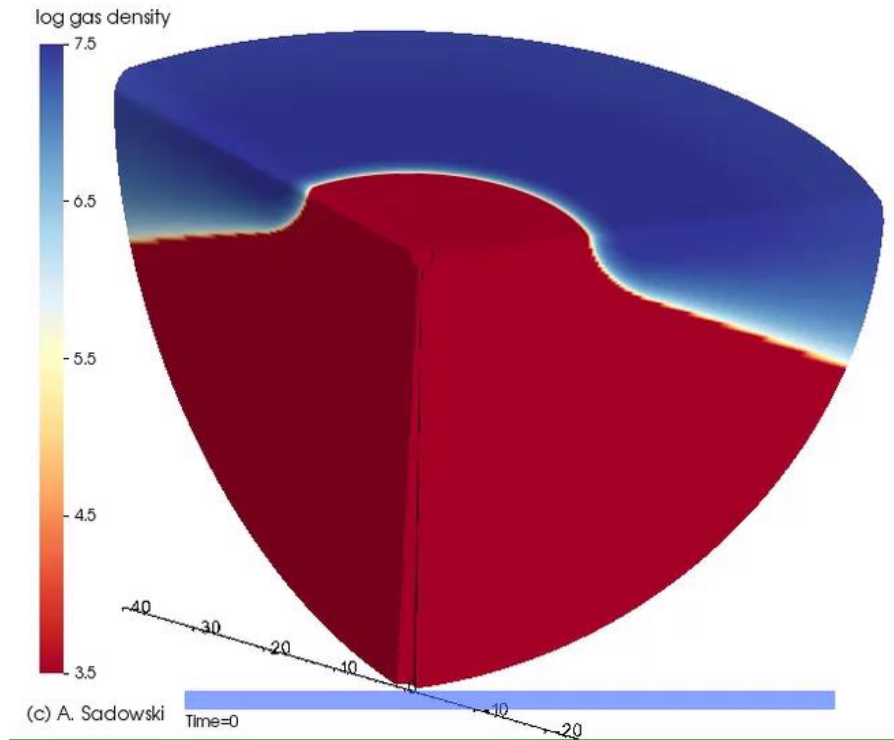


# GRMHD simulations can explain observed **net RM internally**



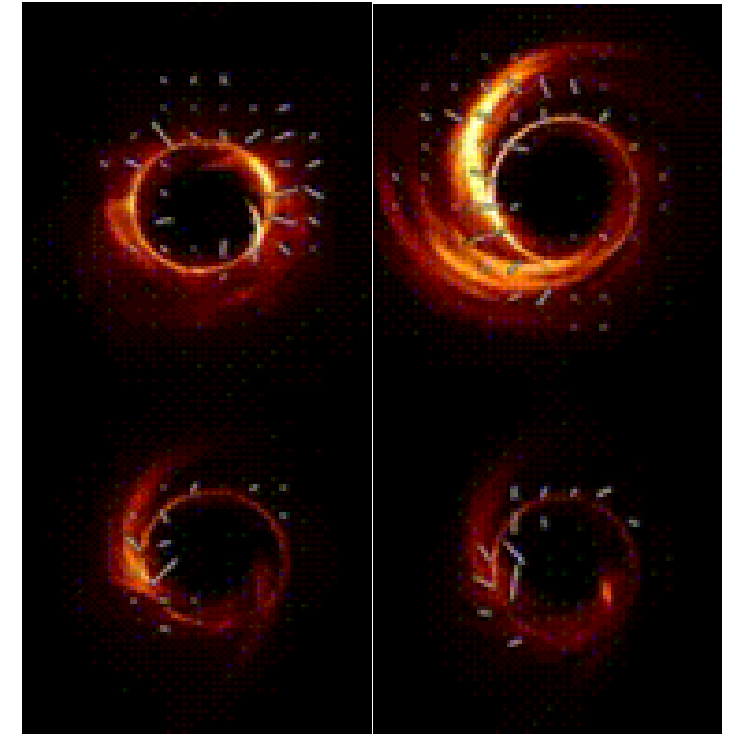
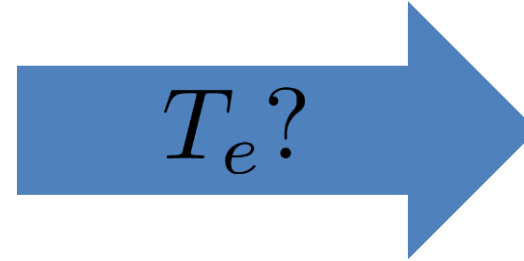
Important in future work to use simultaneous observations on larger scales to better constrain contributions of internal and any external Faraday rotation.

# General Relativistic MagnetoHydroDynamic (GRMHD) simulations



Solves coupled equations of plasma and magnetic field in Kerr spacetime

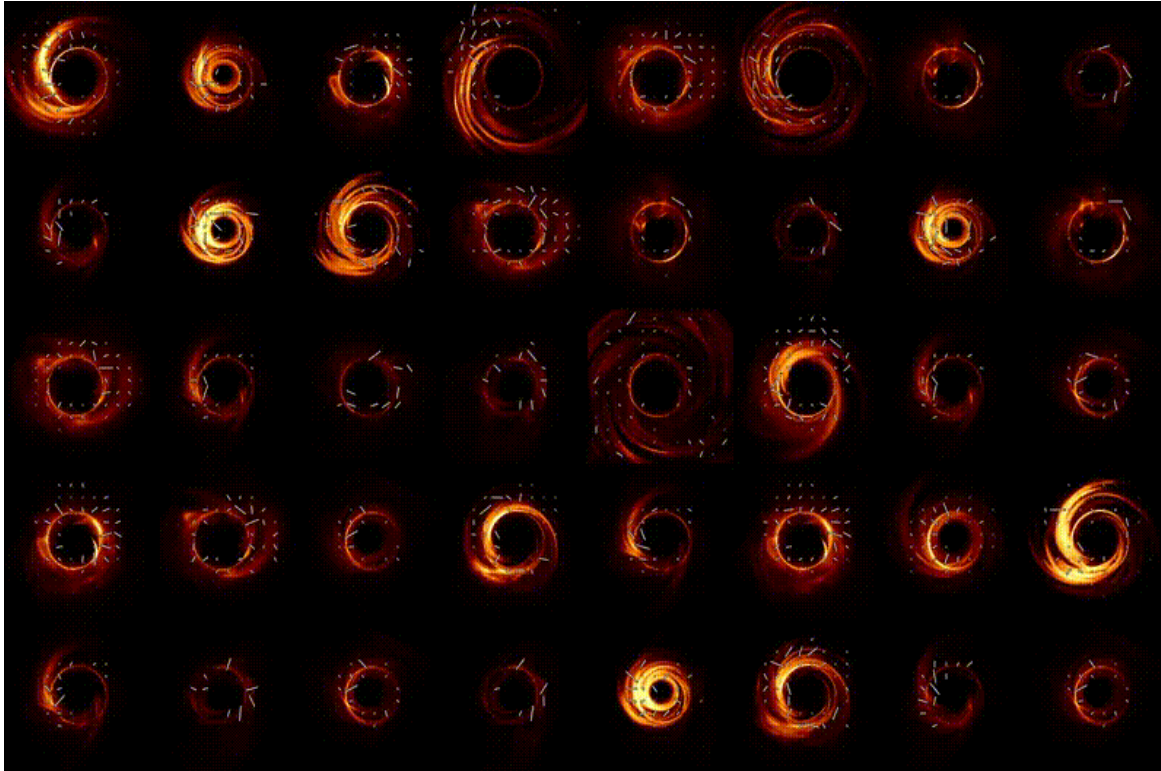
# General Relativistic Ray Tracing (GRRT)



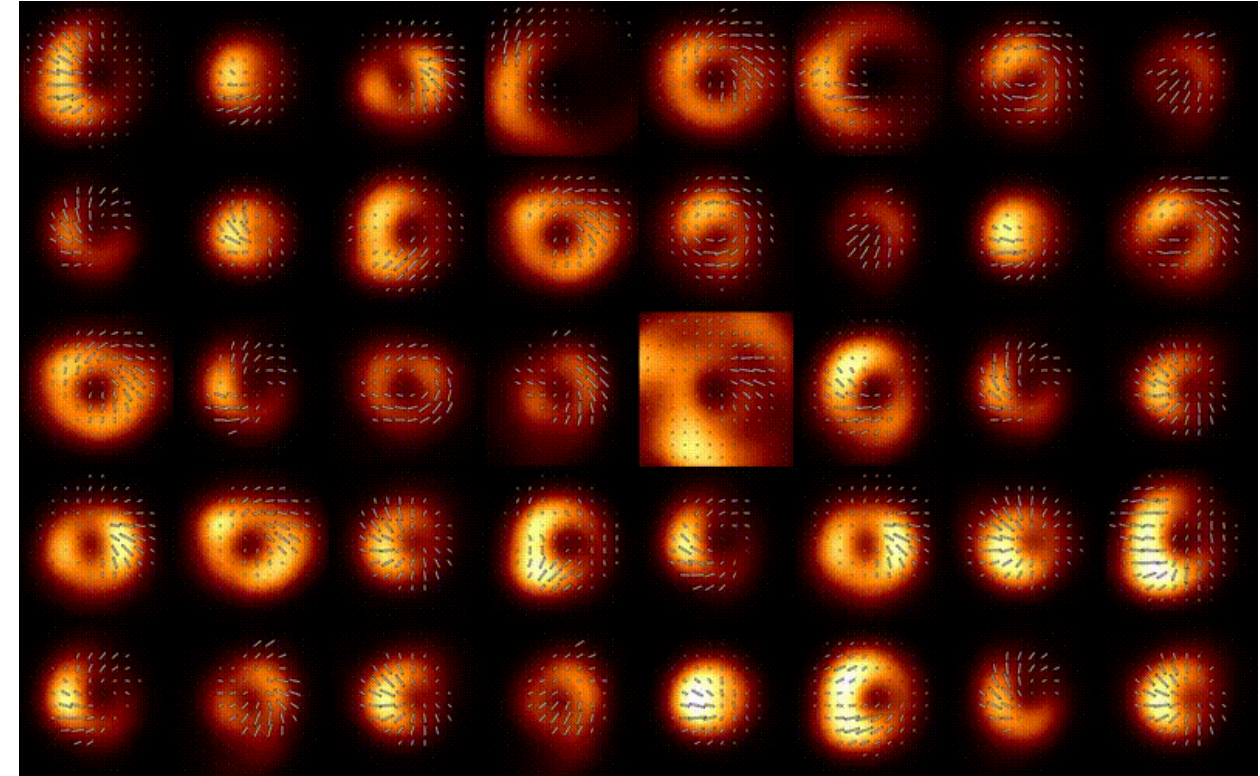
Tracks light rays and solves for the polarized radiation (incl. parallel transport and Faraday rotation)

# GRMHD Simulation library

2 field states, 5 spins, 72k images



native resolution



EHT resolution

Images modeled with the ipole GRRT code (Moscibrodzka & Gammie 2018)

Two-temperature plasma model from Moscibrodzka et al. 2016

$$\frac{T_i}{T_e} = R_{\text{high}} \frac{\beta^2}{1 + \beta^2} + R_{\text{low}} \frac{1}{1 + \beta^2}$$

**Two parameters set the electron temperature**

# Key quantities in simulations of M87

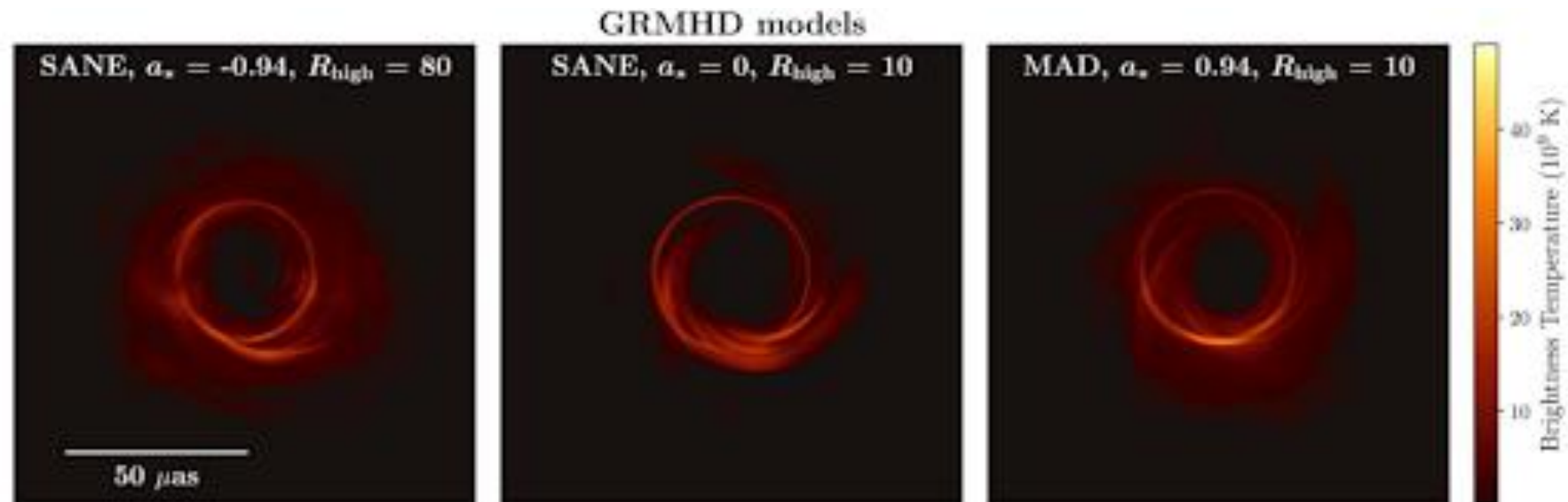
1. Spacetime geometry:  $M, a$ 
  - Liberating potential energy heats the plasma.
  - Extraction of spin energy can form jets
2. Accretion and magnetic field:  $\dot{M}, \Phi_B$ 
  - Is the B-field weak and turbulent or strong & coherent?
  - How quickly does the black hole accrete matter?
3. Electron distribution function:  $T_e, n_e(\gamma)$ 
  - What plasma processes set the electron temperature?
  - Is there a nonthermal population?



# Scoring GRMHD Simulations: before polarization

(EHTC 2019, Paper V)

- **Most simulation models can be made to fit total intensity observations alone by tweaking free parameters (mass, PA, total flux density)**



- An additional constraint on **jet power** ( $\geq 10^{42}$  erg/sec) rejects all spin 0 models
- Can we do better with polarization?

# Scoring simulations with polarization: Image metrics

**Unresolved linear**  
polarization fraction

$$|m|_{\text{net}} = \frac{\sqrt{(\sum_i Q_i)^2 + (\sum_i U_i)^2}}{\sum_i I_i}$$

**Unresolved circular**  
polarization fraction  
(from ALMA)

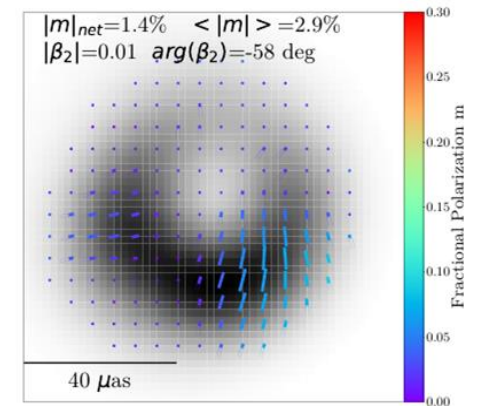
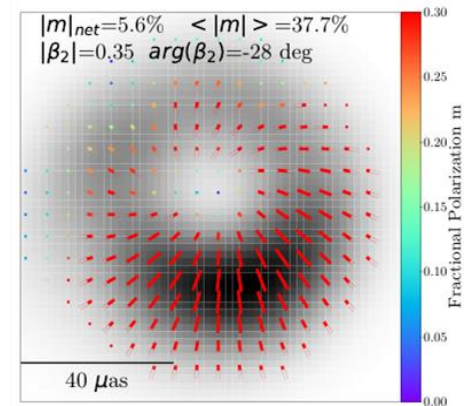
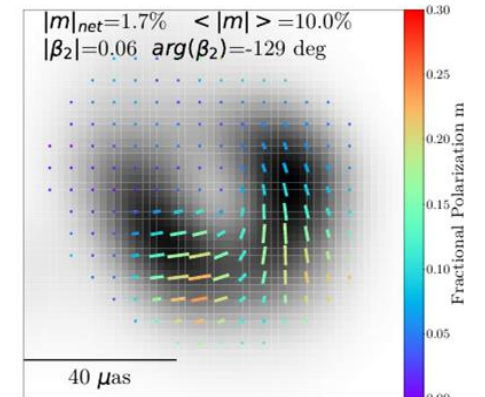
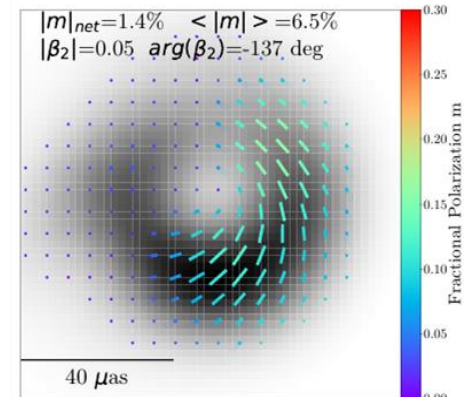
$$|v|_{\text{net}} = \frac{|\sum_i V_i|}{\sum_i I_i}$$

**Average resolved**  
polarization fraction

$$\langle |m| \rangle = \frac{\sum_i \sqrt{Q_i^2 + U_i^2}}{\sum_i I_i}$$

**Azimuthal structure**  
2<sup>nd</sup> mode

$$\beta_2 = \frac{1}{I_{\text{ring}}} \int_{\rho_{\text{min}}}^{\rho_{\text{max}}} \int_0^{2\pi} P(\rho, \varphi) e^{-2i\varphi} \rho d\varphi d\rho$$



GRMHD images can be **strongly** or **weakly** polarized:  
with **patterns** that are radial/toroidal/helical

# Scoring simulations with polarization: Image metrics

**Unresolved linear**  
polarization fraction

$$|m|_{\text{net}} = \frac{\sqrt{(\sum_i Q_i)^2 + (\sum_i U_i)^2}}{\sum_i I_i}$$

**Unresolved circular**  
polarization fraction  
(from ALMA)

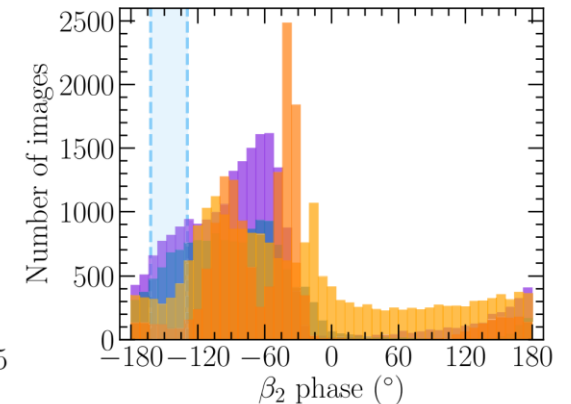
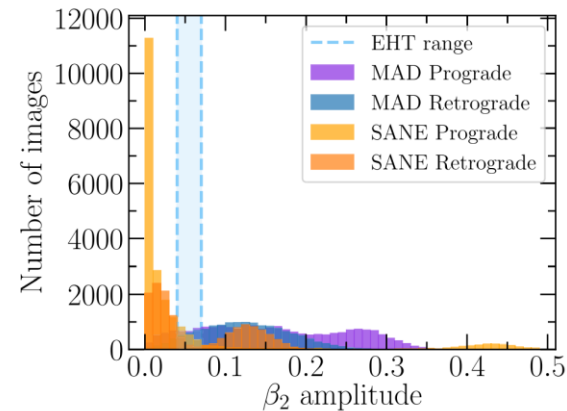
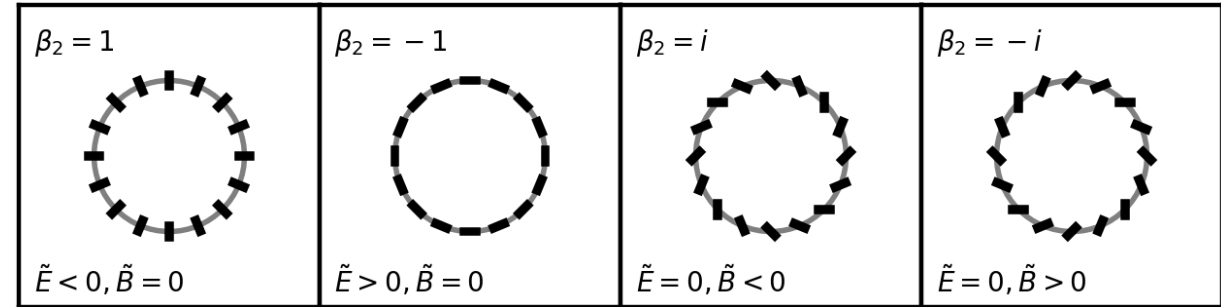
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**Average resolved**  
polarization fraction

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2<sup>nd</sup> mode

$$\beta_2 = \frac{1}{I_{\text{ring}}} \int_{\rho_{\text{min}}}^{\rho_{\text{max}}} \int_0^{2\pi} P(\rho, \varphi) e^{-2i\varphi} \rho d\varphi d\rho$$



2<sup>nd</sup> azimuthal mode is a strong discriminator of accretion states (Palumbo+ 2020)  
Equivalent to E- or B- mode of the polarization pattern

# Scoring simulations with polarization: Image metrics

**Unresolved linear polarization fraction**

$$|m|_{\text{net}} = \frac{\sqrt{(\sum_i Q_i)^2 + (\sum_i U_i)^2}}{\sum_i I_i}$$

**Unresolved circular polarization fraction (from ALMA)**

$$|v|_{\text{net}} = \frac{|\sum_i V_i|}{\sum_i I_i}$$

**Average resolved polarization fraction**

$$\langle |m| \rangle = \frac{\sum_i \sqrt{Q_i^2 + U_i^2}}{\sum_i I_i}$$

**Azimuthal structure 2<sup>nd</sup> Fourier mode**

$$\beta_2 = \frac{1}{I_{\text{ring}}} \int_{\rho_{\text{min}}}^{\rho_{\text{max}}} \int_0^{2\pi} P(\rho, \varphi) e^{-2i\varphi} \rho d\varphi d\rho$$

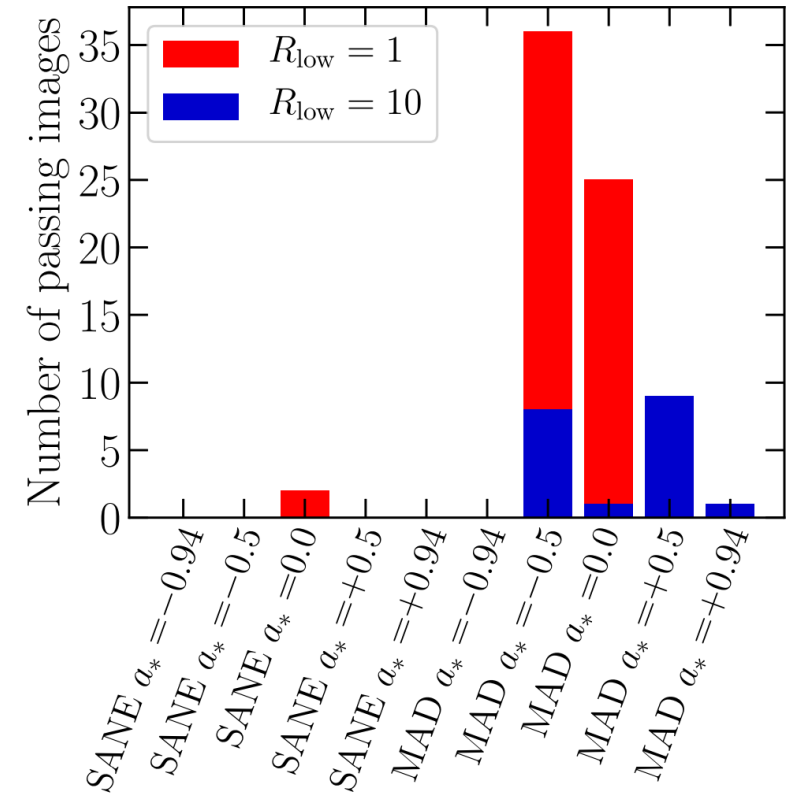
We define an acceptable **range for each parameter** that accounts for systematic uncertainty in D-term and image reconstruction among methods

Parameter	Min	Max
$ m _{\text{net}}$	1.0%	3.7%
$ v _{\text{net}}$	0	0.8%
$\langle  m  \rangle$	5.7%	10.7%
$ \beta_2 $	0.04	0.07
$\angle\beta_2$	-163 deg	-129 deg



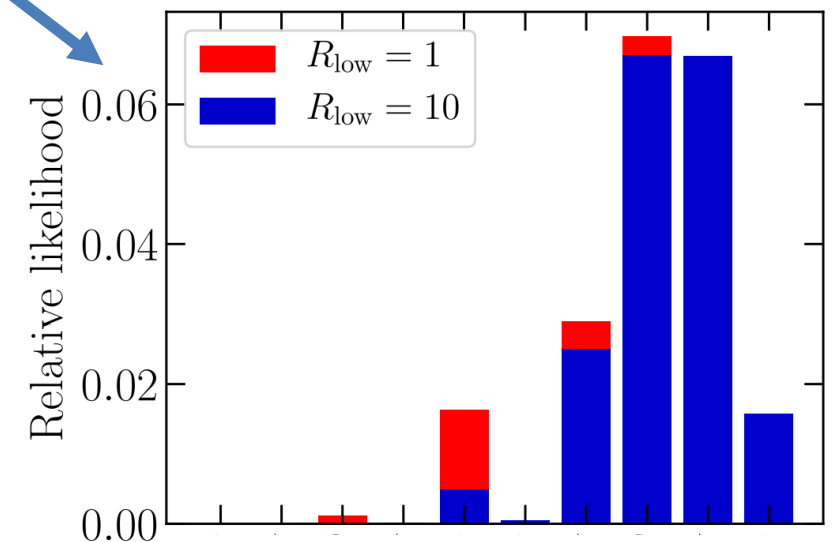
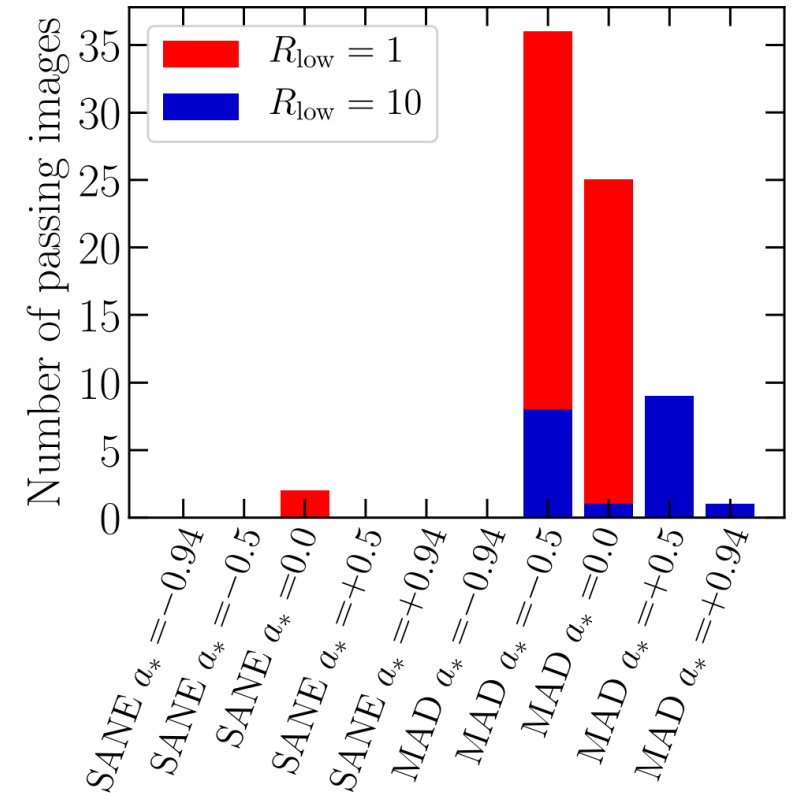
# Polarimetric simulation scoring

- Two scoring approaches:
  - **'simultaneous'** (demand individual images satisfy all image constraints at once)
  - Only 73 / 72,000 images satisfy all constraints simultaneously!
  - All but 2 of the passing images are from MAD simulations



# Polarimetric simulation scoring

- Two scoring approaches:
  - **'simultaneous'** (demand individual images satisfy all image constraints at once)
  - **'joint'** (compute a likelihood comparing distance between measured quantities and simulation mean with the simulation variance)
- **Both approaches strongly favor magnetically arrested (MAD) simulations**
- The two approaches differ in which electron heating parameters they favor.
- An additional constraint on the jet power rejects all surviving non-MAD simulations (and all spin-zero simulations)



# Implications for M87\*'s accretion

- Surviving models significantly tighten constraints on accretion rate from total intensity results:

$$\dot{M} \simeq (3 - 20) \times 10^{-4} M_{\odot} \text{ yr}^{-1}$$

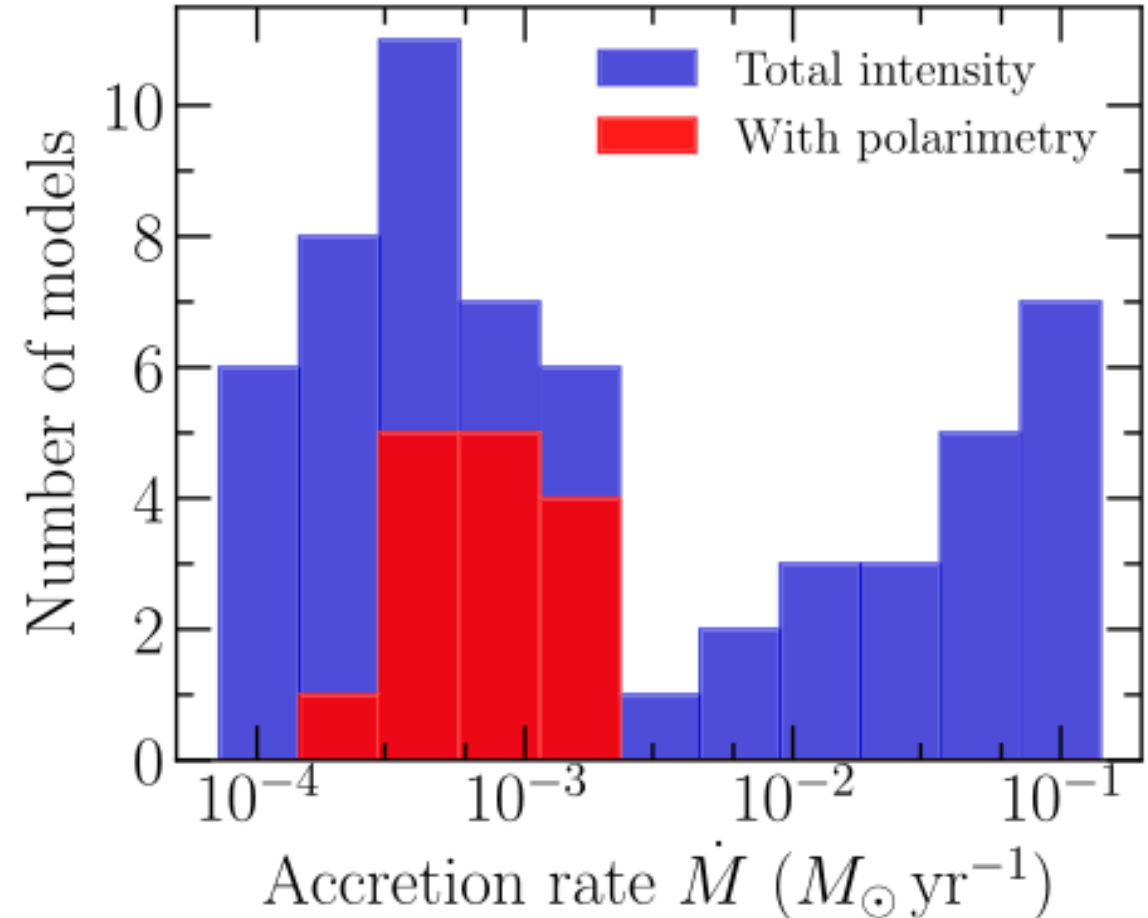
- Constrains the electron temperature, number density, and magnetic field strength (in agreement with estimates from simple one-zone models):

$$T_e \simeq (5 - 40) \times 10^{10} \text{ K}$$

$$|B| \simeq (7 - 30) \text{ G}$$

$$n \sim 10^{4-5} \text{ cm}^{-3}$$

- Radiative efficiency  $\sim 1\%$ 
  - Cooling is important!

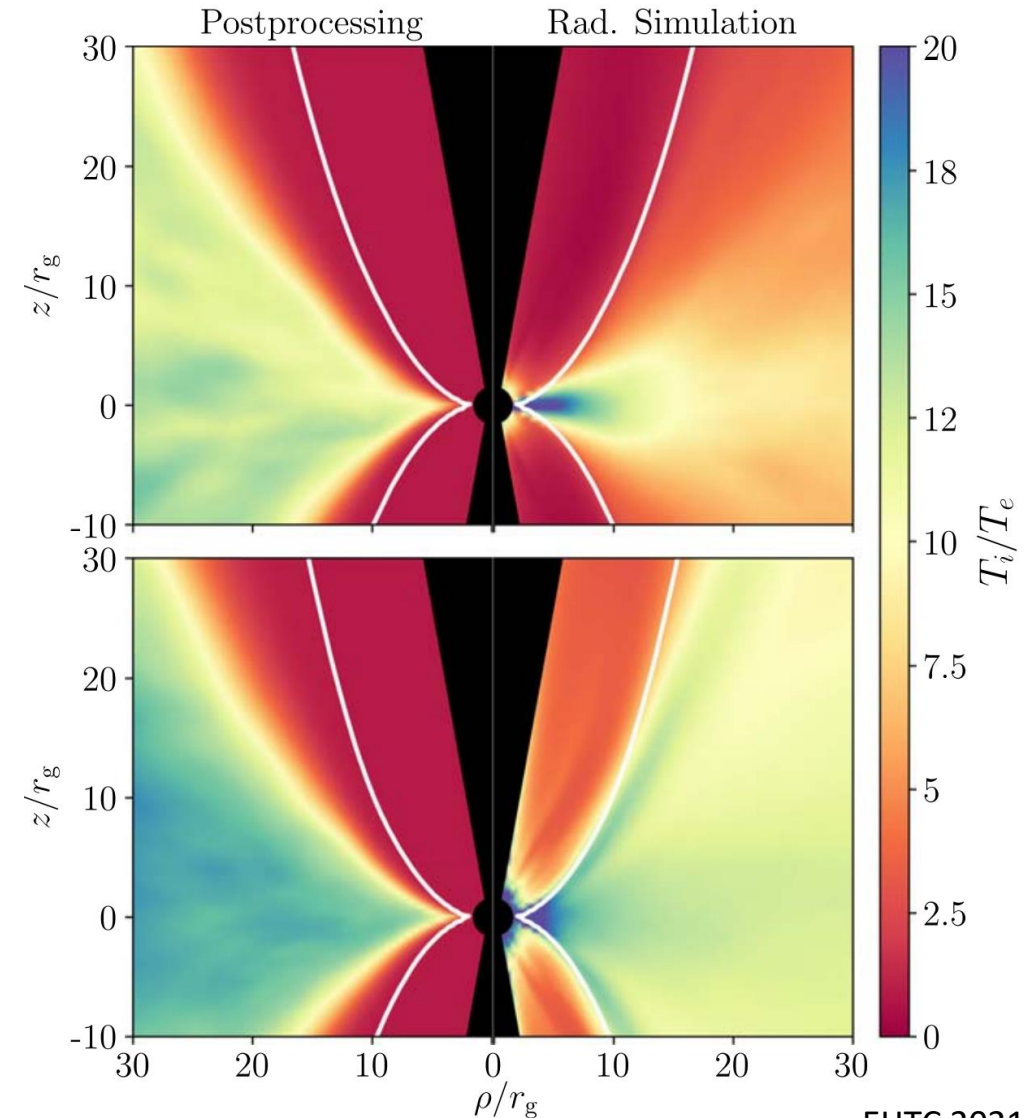


Next Steps



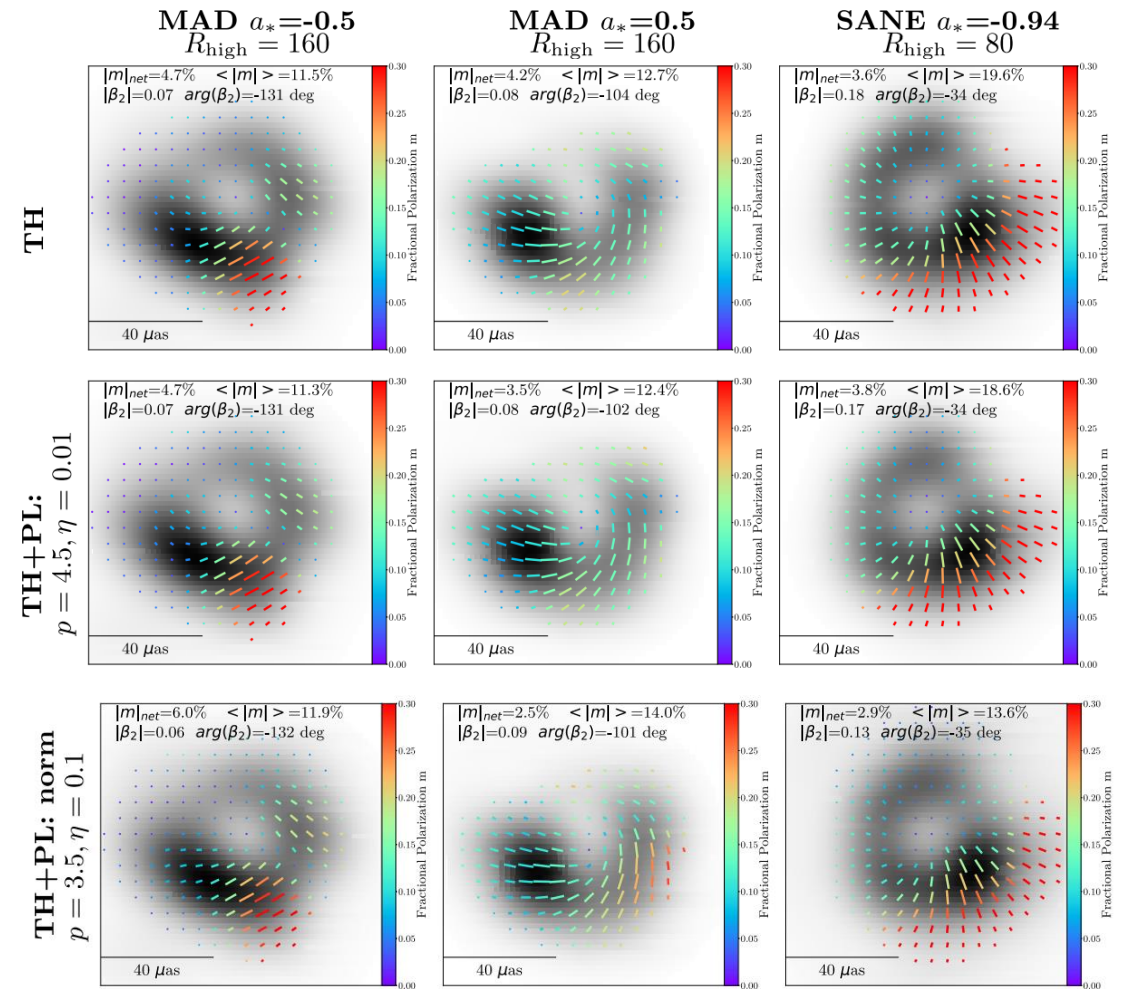
# Electron Heating/Acceleration/Cooling

- Current simulation has one prescription for determining electron temperature from simulation data, coarsely sampled.
  - Different scoring methods disagree on preferred parameters.
  - Can we constrain these parameters or do we need better models?
- Can radiative simulations help?
  - Self-consistently evolve electron temperatures under cooling/electron heating
  - Computationally expensive, and limited by available plasma models



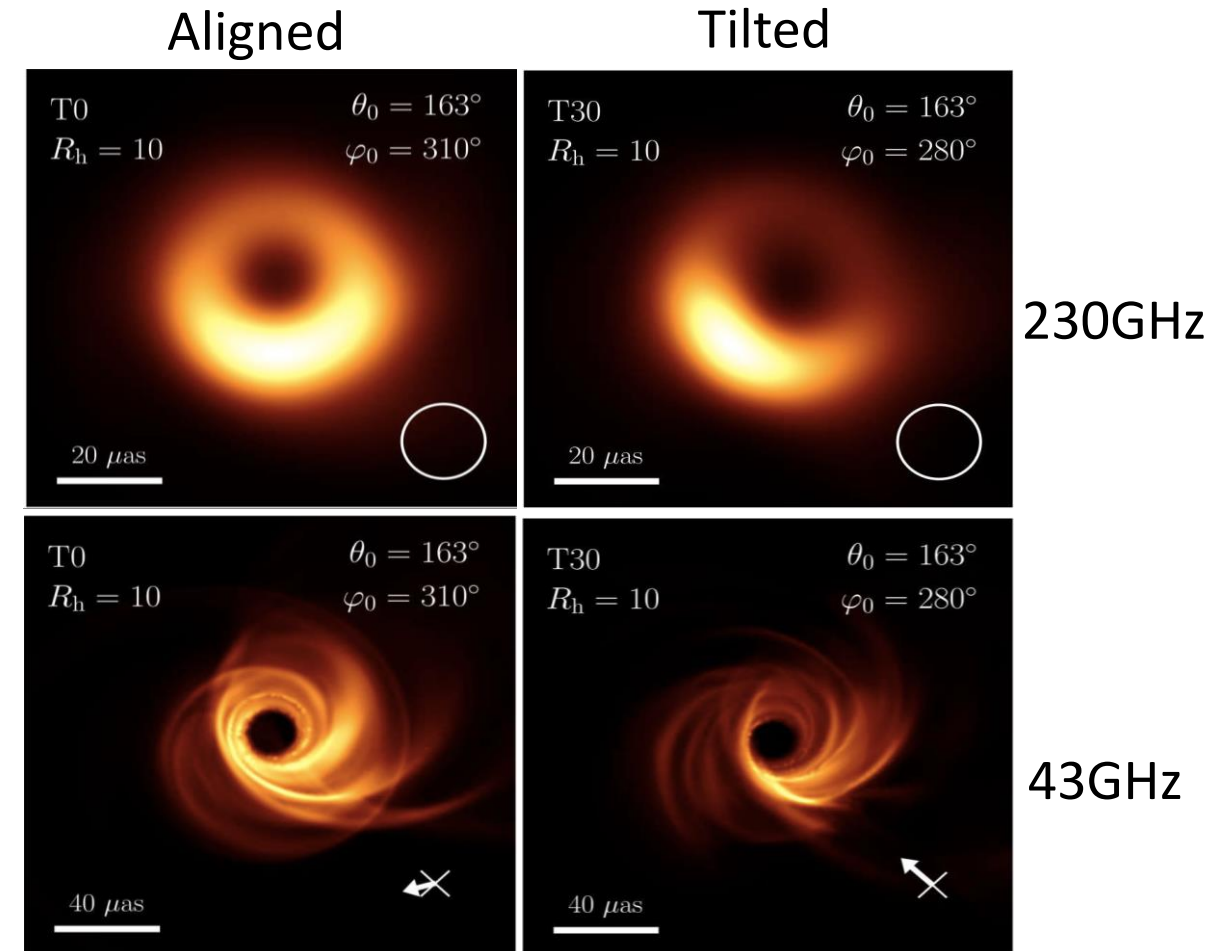
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  - Can we constrain these parameters or do we need better models?
- Can radiative simulations help?
  - Self-consistently evolve electron temperatures under cooling/electron heating
  - Computationally expensive, and limited by available plasma models
- Nonthermal electrons?
  - We explored several extensions with a nonthermal tail to the EDF
  - Does not change preference for MADs, but does add order  $\sim$ unity uncertainty to accretion rate



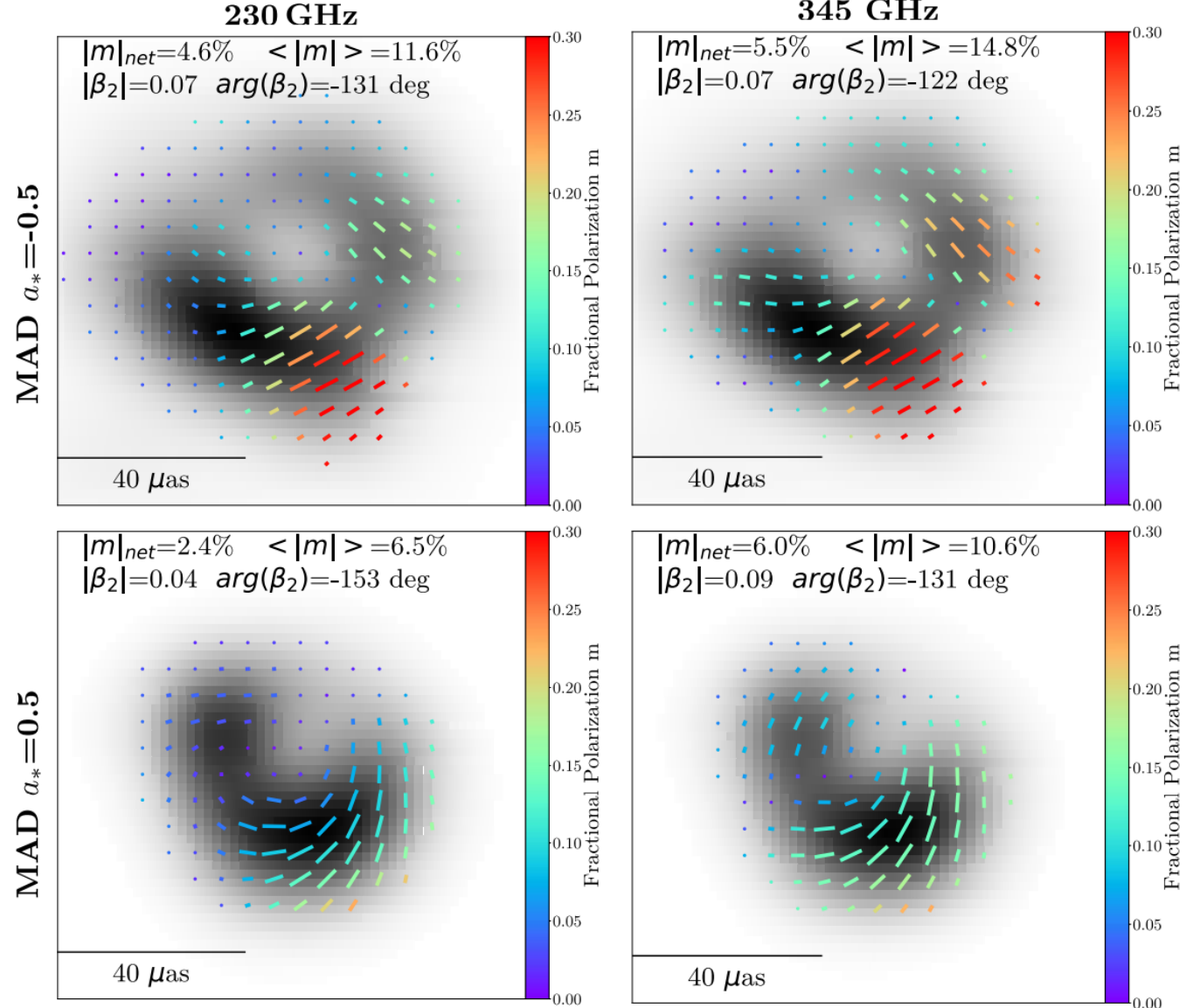
# Tilted disks

- All EHT library simulations have disk angular momentum **parallel/antiparallel** to BH spin axis
- In tilted-disk simulations, **lensing** of the inner disk/jet base can result in quite different 230 GHz images even though 43 GHz jet images are similar
- Need a library of tilted disk systems!



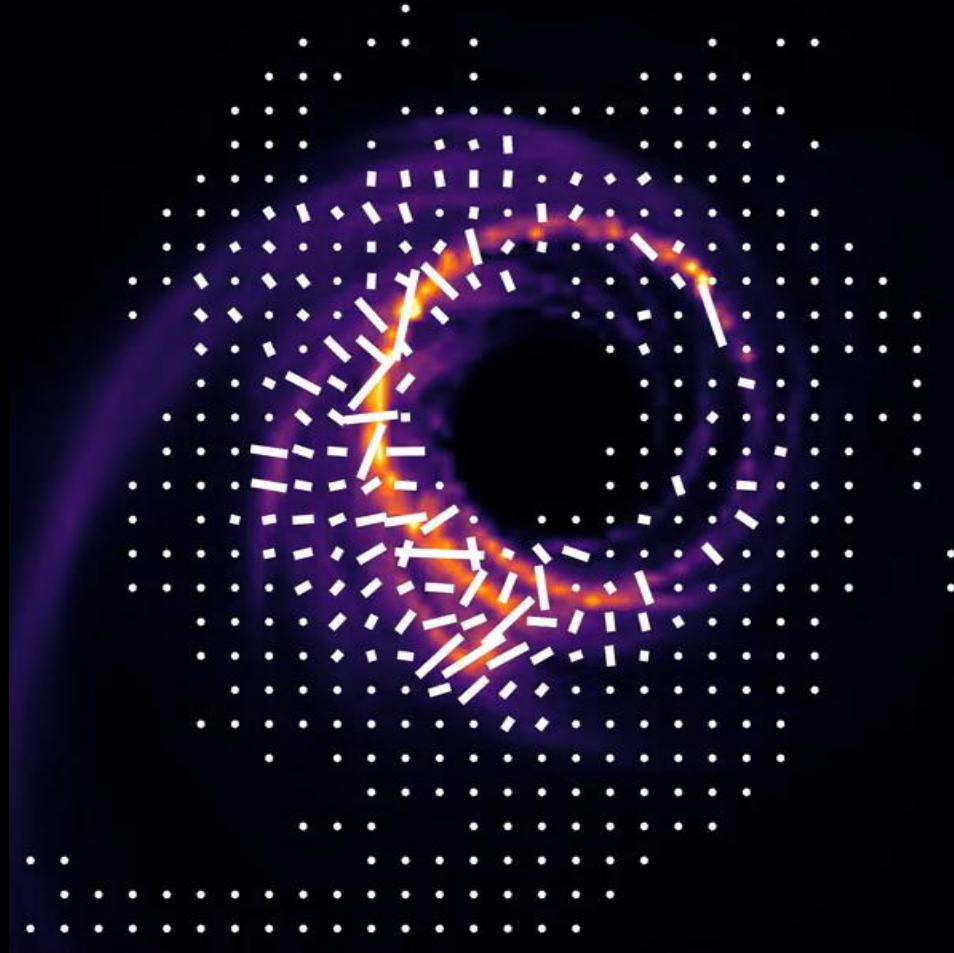
# Higher frequencies

- Future EHT campaigns will observe at 345 GHz
- If our picture is right, we should see weaker Faraday rotation and **stronger polarization**
- With observations at multiple frequencies, we can directly map Faraday rotation and further constrain our models

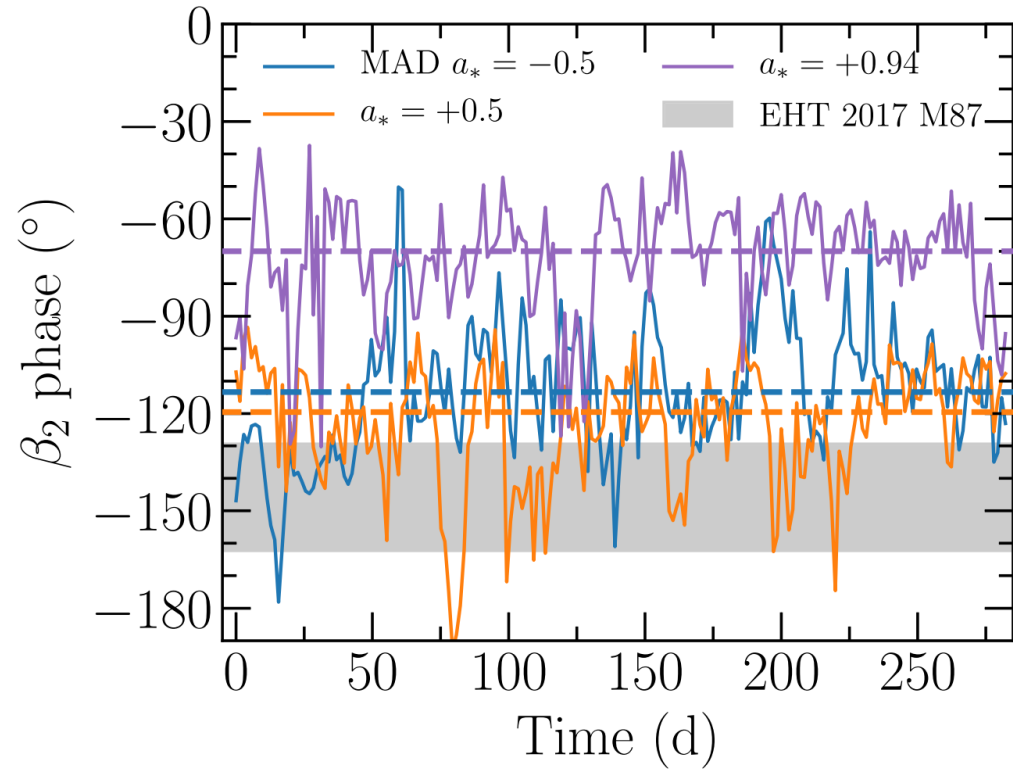
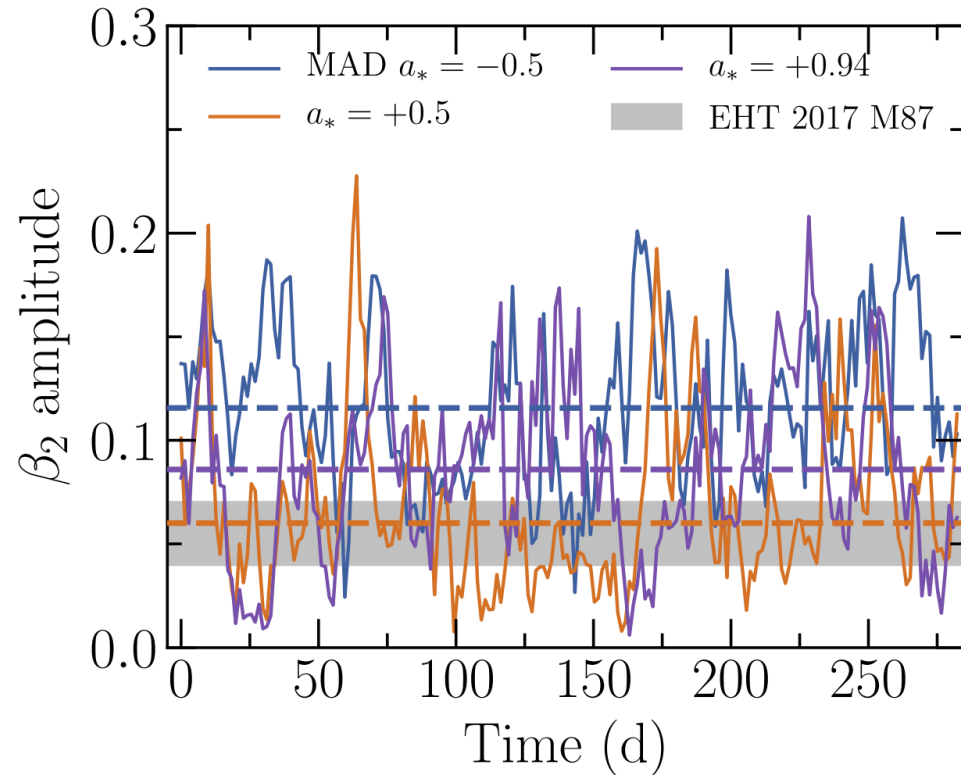




Polarization is *variable*



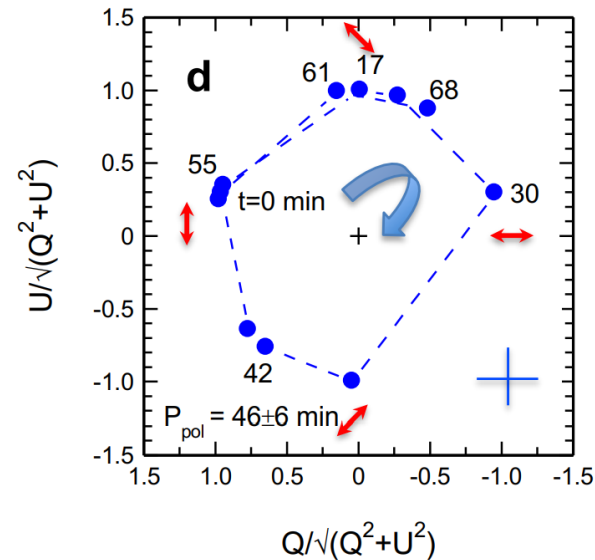
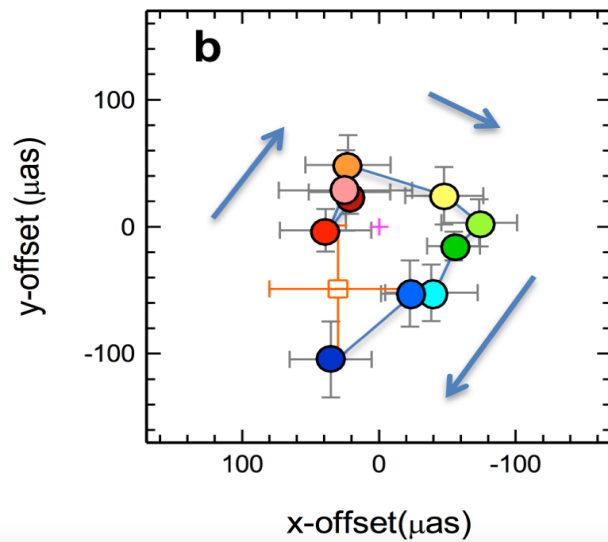
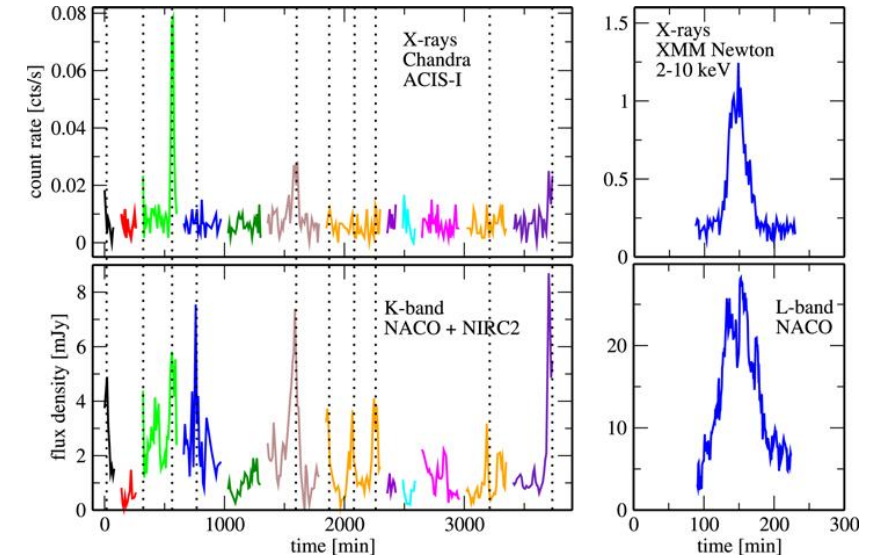
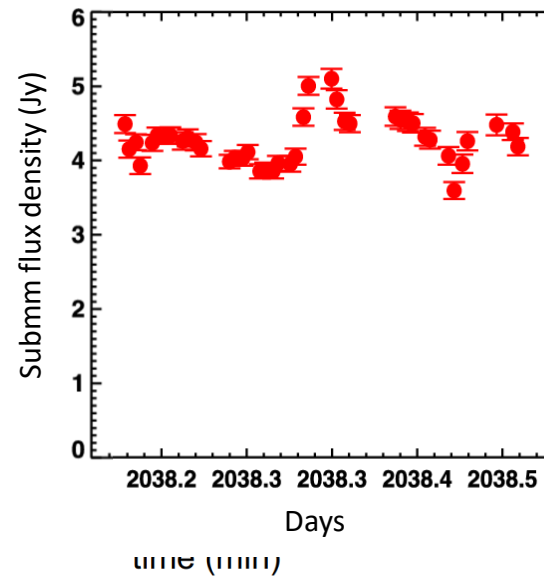
# Polarization is *variable*



- If our picture is right, future EHT observations should see **strong variability on week-month timescales** in all our measured quantities
- More measurements should further tighten our constraints, and will probably require us to expand our space of models

# Time variability: Sgr A\* Flares

- Intra-day 1.3 mm variability in Sgr A\* on minute-hour timescales makes imaging very hard!



- GRAVITY NIR Interferometry: flares rotate near the horizon, and show polarization 'loops'

# Sagittarius A\* -- coming soon!

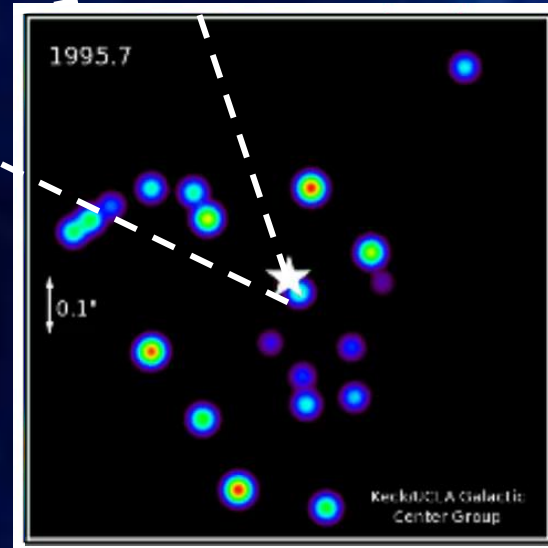
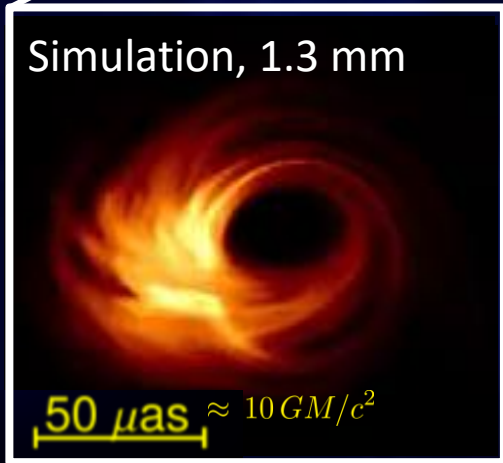
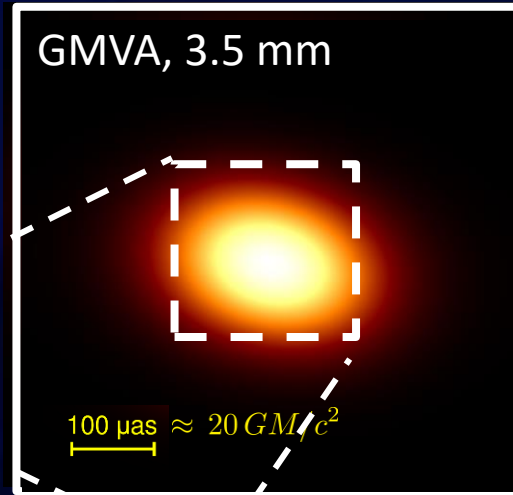
VLA, 6 cm

$$M_{BH} = (4.10 \pm 0.03) \times 10^6 M_{\odot}$$

$$D = (8.12 \pm 0.03) \text{kpc}$$

Gravity Collaboration, 2018

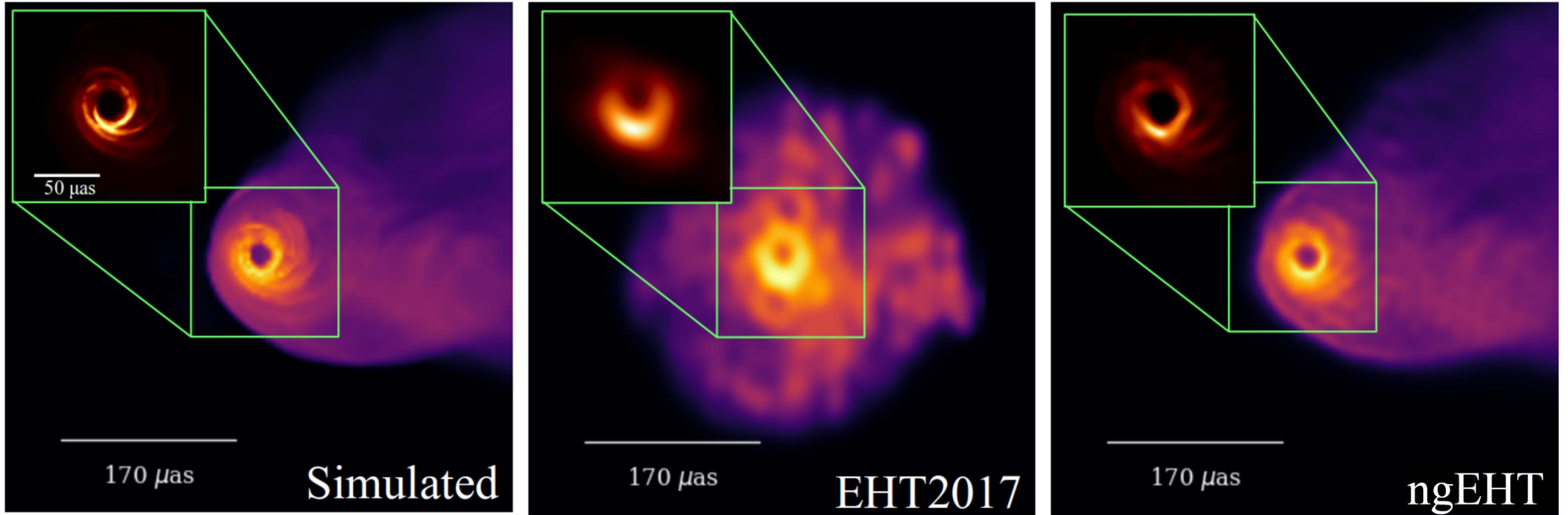
$$d_{\text{shadow}} \approx 50 \mu\text{as}$$



20 as  
 $\sim 10^6 GM/c^2$



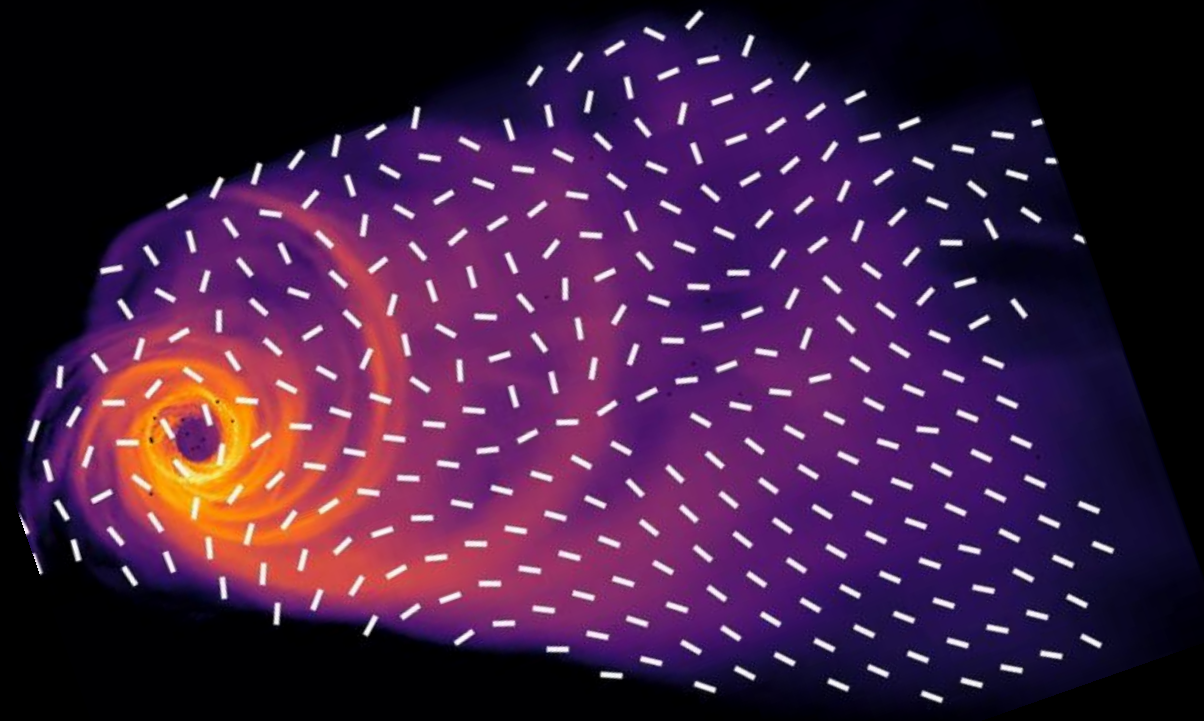
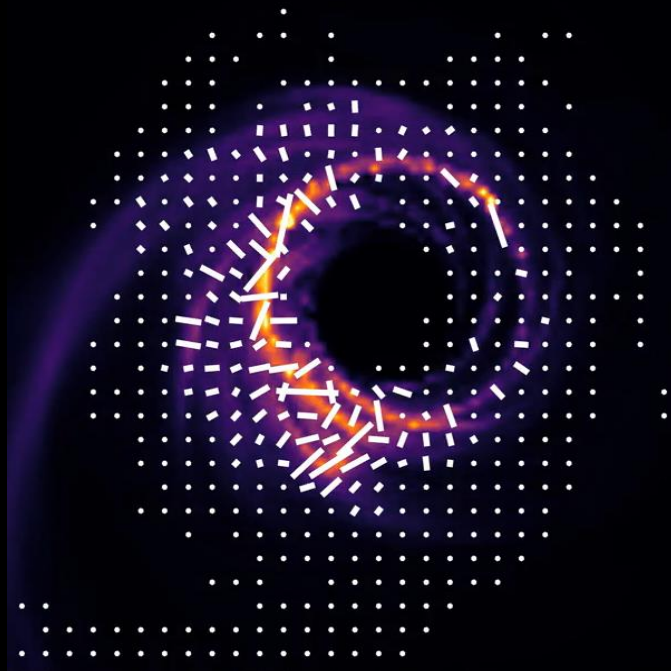
# Connecting to Larger Scales: ngEHT will illuminate the BH-jet connection



The current **EHT** lacks short baselines, which are necessary to detect extended structure.

With more dishes added to the array, we will be able to observe the **BH-jet connection** in total intensity and polarization

Image Credit: Michael Johnson  
EHT Astro2020 APC White Paper  
(Blackburn, Doeleman+; 1909.01411)



# Summary:

- The EHT has published the first images of the linear polarized synchrotron emission produced near the event horizon of a supermassive black hole
- Producing these images of M87 requires fitting **sparsely-sampled data with corruption** from atmospheric turbulence and polarization leakage.
  - Multiple different reconstruction methods were tested on synthetic data and used to produce conservative images
- The EHT images show **relatively weak polarization** with an **azimuthal pattern** of polarization angles
- The EHT images can be used to constrain GRMHD simulation models of the emission region:
  - self-consistently including light bending and Faraday rotation effects is important
- The polarization data singles out magnetically arrested models:
  - **the magnetic field is dynamically important at the event horizon in M87\***
- Time variability and future observations will further constrain our models
  - we need to expand our model space to consider different electron distributions and tilted disks

Thank you!

PCTS workshop on polarization from black  
holes: [May 10-13!](#)